FYST17 Lecture 7 MC and Simulation

Thanks to M. Asai, T. Sjöstrand, J. Morris

Today's topics

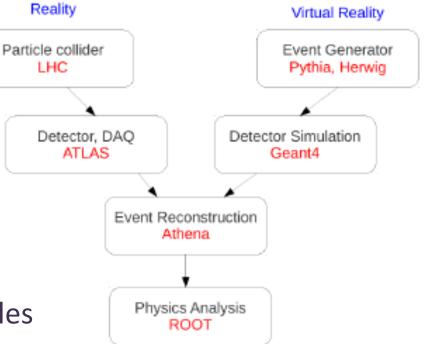
- Simulation, Monte Carlo (MC) and why we use it
- MC generators
 - Examples
 - Different specialities
- Detector simulation
 - GEANT
- Performance, some examples

Why simulation?

We want to be able to compare data to expectations *"Virtual experiment"*

"Simulation" typically consists of two steps:

- Event generation "Monte Carlo"
 - Calculations, hadronization
 - 4-vectors of final state particles
- Detector simulation + digitization
 - The particles' paths through the detector material
 - Detector and electronic response



Why simulation?

Why use generators?

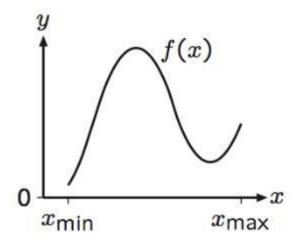
- Allows studies of complex multi-particle physics
- Allows studies of theoretical models
 - ⇒ What does a SUSY signal look like?

Can be used to

- Predict cross sections and topologies of various processes
 - ⇒ Feasibility study Can we find the theoretical particle X?
- Simulate background processes to the signal of interest
 - ⇒ Can devise analysis strategies
- Study detector response
 - ⇒ Optimise trigger & detector selection cuts
- Study detector imperfections
 - ⇒ Can evaluate acceptance corrections
 - See next week for a discussion of acceptance
- Remove the effect of the apparatus from the measurement
 - → Unfold the data. Correcting the data for detector effects

The Monte Carlo method

"Monte Carlo" refers to any numerical method that uses random numbers in order to simulate probabilistic processes

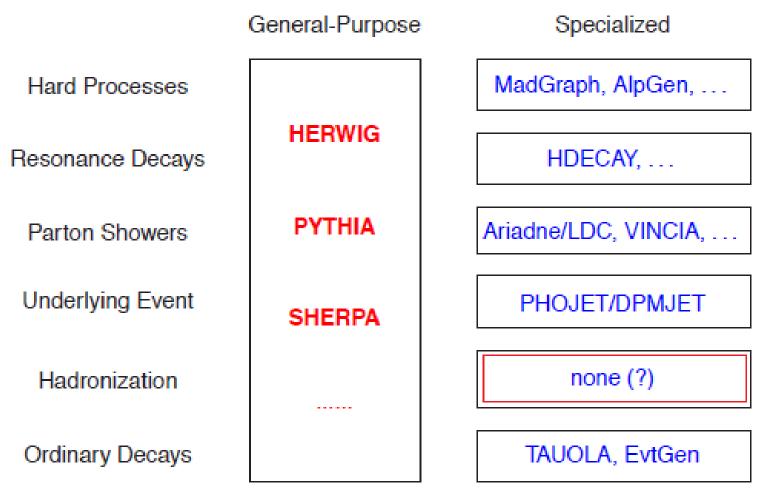


Select x at random* according to f(x) Integral I = $\int_{x1}^{x2} f(x) dx = (x_2 - x_1) < f(x) >$ Draw N values from a uniform distribution: $I \approx I_N \equiv (x_2 - x_1) \frac{1}{N} \sum_{i=1}^N f(x_i)$

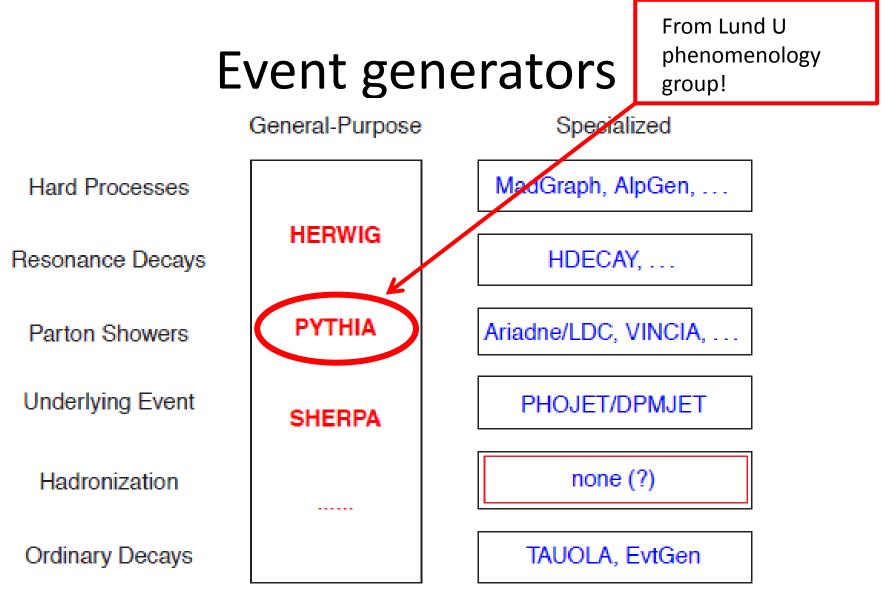
Governed by the Central Limit Theorem: errors $\propto \frac{1}{\sqrt{N}}$

*In particle physics applications: Random numbers represent QM choices

Event generators

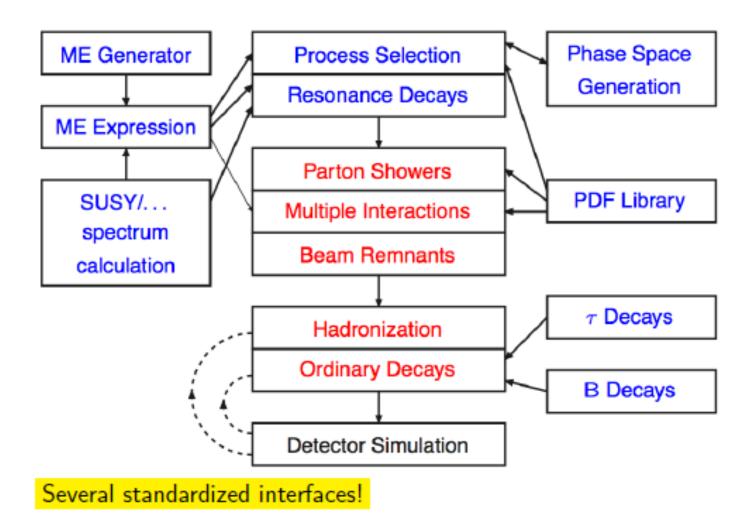


Specialized often best at given task, but need General-Purpose core



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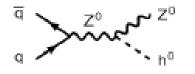
What they do



Monte Carlo generation

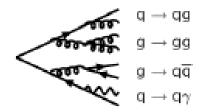
Matrix elements (ME):

 Hard subprocess: |*M*|², Breit-Wigners, parton densities.

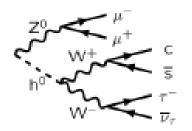


Parton Showers (PS):

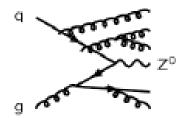
3) Final-state parton showers.



2) Resonance decays: includes correlations.

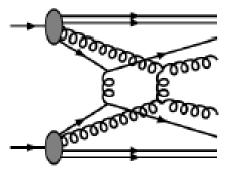


4) Initial-state parton showers.

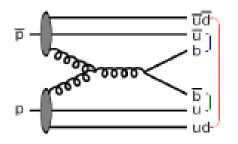


Monte Carlo generation

5) Multiple parton-parton interactions.

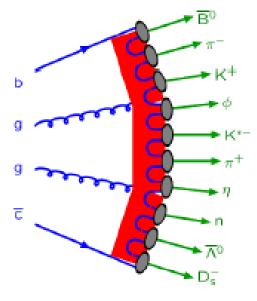


6) Beam remnants, with colour connections.

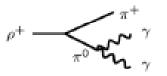


5) + 6) = Underlying Event

7) Hadronization



 Ordinary decays: hadronic, τ, charm, ...



Slides from Torbjörn Sjöstrand

The Structure of an Event – 1

Warning: schematic only, everything simplified, nothing to scale, ...

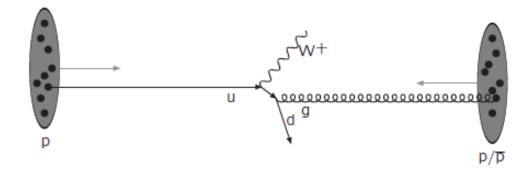


Incoming beams: parton densities

Introduction to MC techniques

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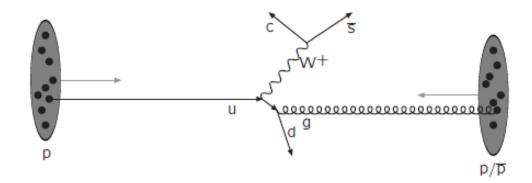
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Hard subprocess: described by matrix elements

Introduction to MC techniques

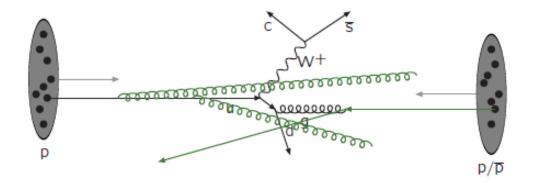
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Resonance decays: correlated with hard subprocess

Introduction to MC techniques

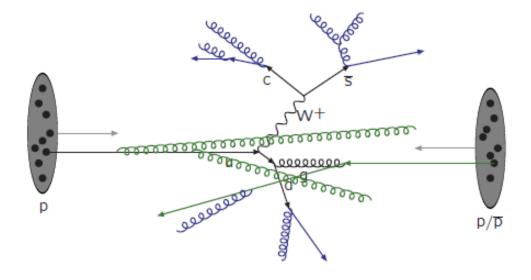
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Initial-state radiation: spacelike parton showers

Introduction to MC techniques

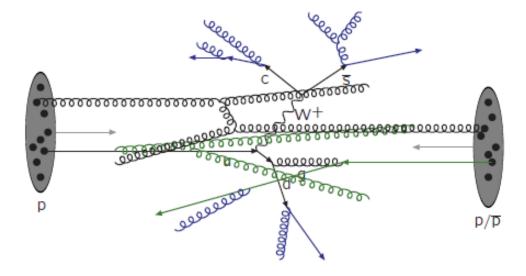
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Final-state radiation: timelike parton showers

Introduction to MC techniques

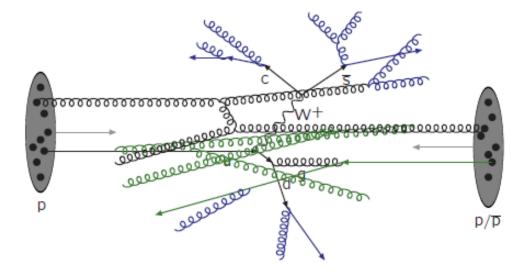
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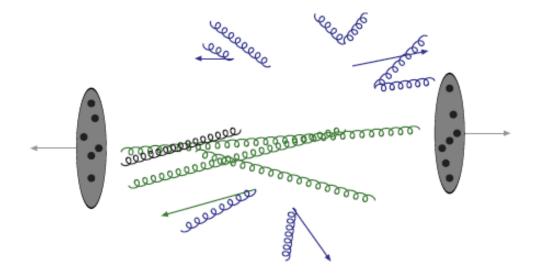
Multiple parton-parton interactions ...

Introduction to MC techniques

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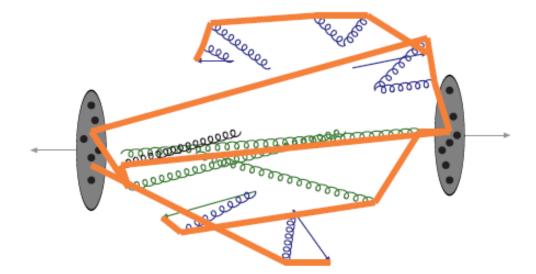
... with its initial- and final-state radiation



Beam remnants and other outgoing partons

Introduction to MC techniques

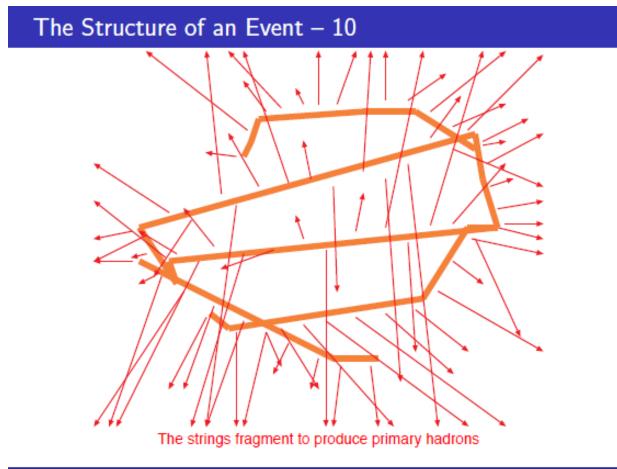
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Everything is connected by colour confinement strings Recall! Not to scale: strings are of hadronic widths

Introduction to MC techniques

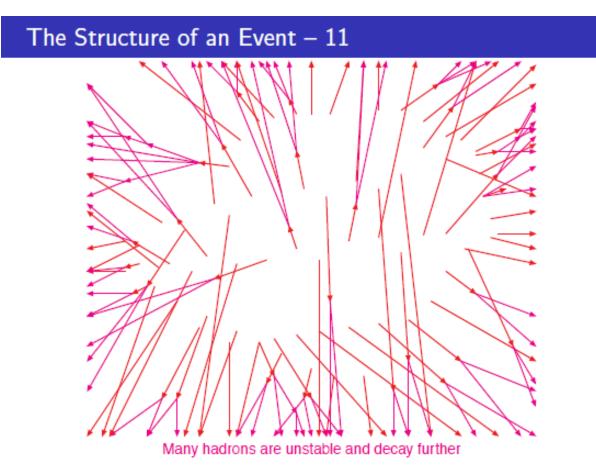
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Torbjörn Sjöstrand

Introduction to MC techniques

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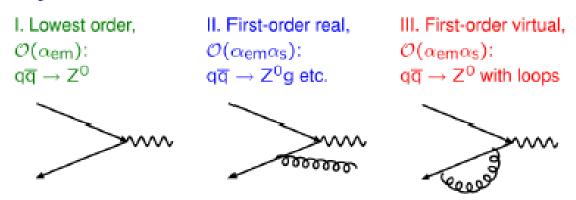


Torbjörn Sjöstrand

Introduction to MC techniques

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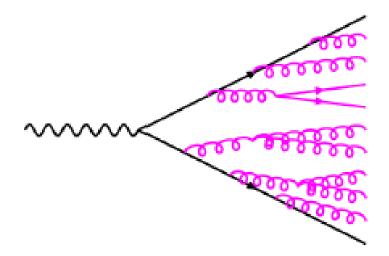
Matrix element calculation



Normally calculated at LO or NLO

- Higher order corrections are important:
 - Normalisation and shape of kinematic distributions
 - Multiplicity of objects like jets
- Higher order corrections are hard to calculate and CPU intensive
- Several programs that will do the calculation
 - Different calculation techniques
 - Different assumptions
 - Different results
 - ⇒ Theoretical modelling uncertainty

Parton showering



- Need to go from 2→2 scattering to 100's of particles
 - A particle can decay into more particles
 - A particle can emit another particle
 - All controlled by random numbers
- Parton shower evolution is a probabilistic process
 - Occurs with unit total probability

Parton showering

2 Common approaches to parton showering

- Need to avoid divergences and infinities in calculations
 - See your QCD course for why these occur
 - Solution requires the final state partons to be ordered
- There are 2 common approaches to do this
- Pythia : $Q^2 = m^2$
 - The parton with the highest p_{T} is calculated first
- Herwig : $Q^2 \approx E^2 (1 \cos(\theta))$
 - The parton with the largest angle is calculated first
- This represents a theoretical modelling uncertainty
 - Both provide a good description of data but which is correct?
 - Neither is correct, but nature is unknown, we only have models
 - All physics measurements need to take this into account
 - · Expect to see a parton shower systematic for every result
 - Use both methods for calculation of physics result
 - Difference between results is a theoretical modelling systematic

Going from partons to hadrons

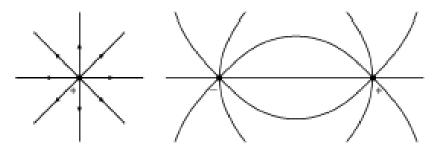
- Partons are not observed directly in nature, only hadrons
- Hadronisation occurs at low energy scales
 - Perturbation theory is not valid
 - Cannot calculate this process from first principals
- Require models to simulate what happens
- 2 common approaches are used
 - PYTHIA : Lund string model
 - HERWIG : Cluster model

This is another theoretical modelling uncertainty

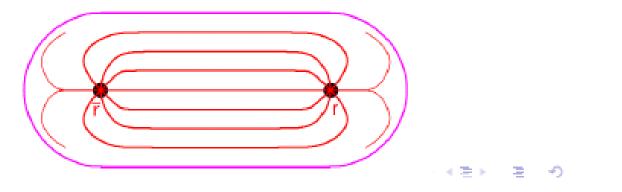
- Similar type of uncertainty as for parton showering
 - We don't know exactly how nature works
 - We have 2 reasonable models
 - Calculate physics result using each method
 - Difference is a theoretical modelling systematic

The Lund string model

- In WED, field lines go all the way to infinity
- Photons do not interact with each other

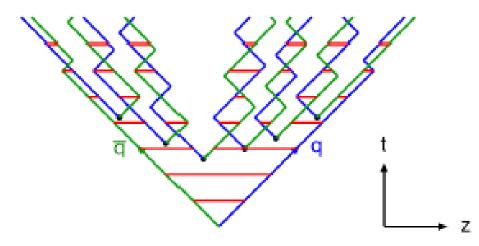


- In QCD, for large charge separation, field lines seem to be compressed into tube-like regions ⇒ string(s)
- Self-interaction among soft gluons in the vacuum



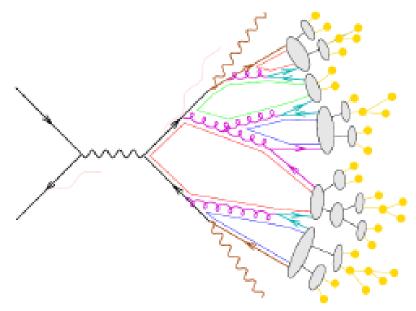
The Lund string model

- The strings connecting the 2 partons breaks as they move apart
- Fragmentation starts in the middle and spreads out



- The breakup vertices become causally disconnected
- This is governed by many internal parameters
- Implemented by the PYTHIA MC program

The Cluster model

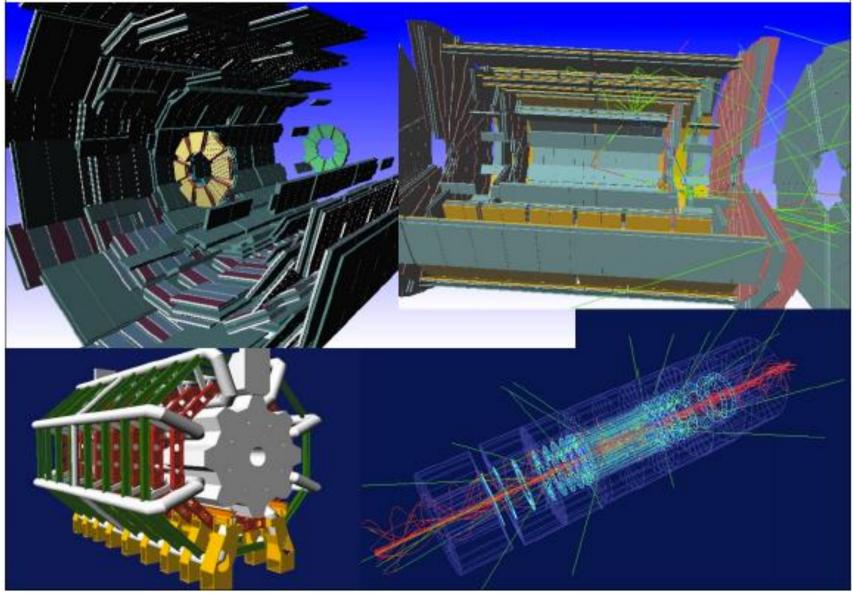


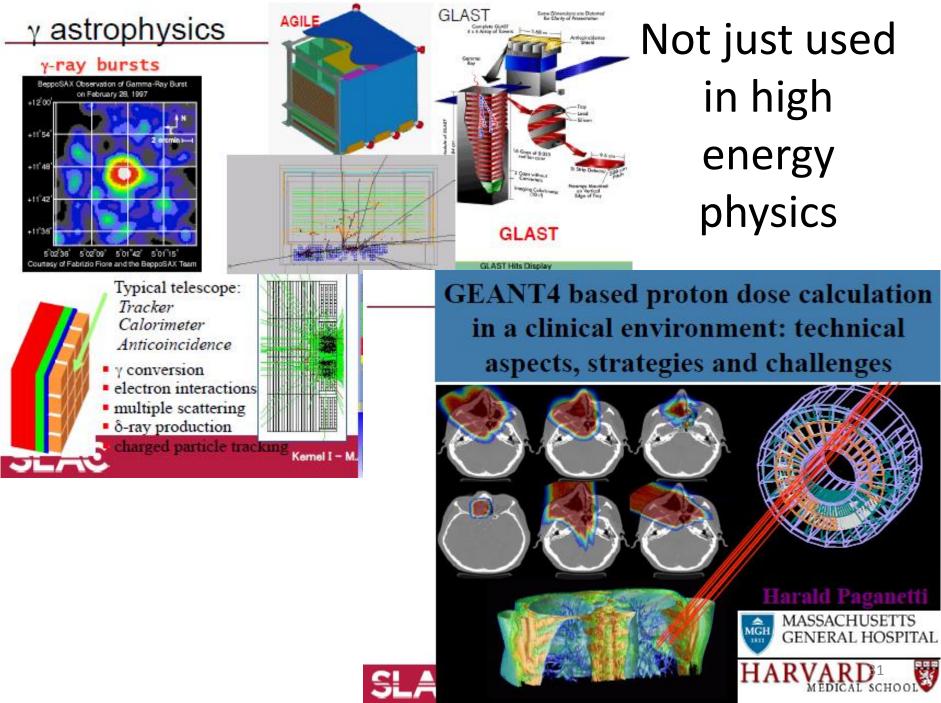
- Pre-confinement colour flow is local
- Forced $g \rightarrow q\bar{q}$ branchings
- Colour singlet clusters are formed
- Clusters decay isotropically to hadrons
- Relatively few internal parameters
- Implemented by the HERWIG MC program

Detector simulation

- Next step is simulating the particles paths through the detector:
 - Tracking chambers, calorimeters, muon system
 - but also cables, cooling pipes etc
 - and also faulty detector modules/electronics!
- Takes time: need to simulation all interactions, ionization, energy deposits, secondary interactions and decays, scattering ...
- Mostly used: GEANT4 a C++ program. Takes as input 4-vectors from event generators and outputs "raw data"
- Takes up to 10 mins/event! Short-cut *Fast simulation*: Smear the 4-vectors instead of calorimeter simulation

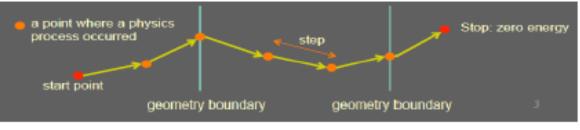
Geant4 in High Energy Physics (ATLAS at LHC)





How does it Work ?

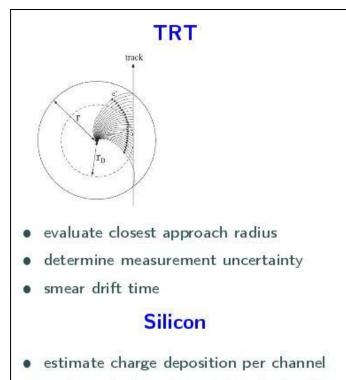
- Treat one particle at the time
- Treat a particle in steps



- For each step
 - the step length is determined by the cross sections of the physics processes and the geometrical boundaries; if new particles are created, add them to the list of particles to be transported;
 - local energy deposit; effect of magnetic and electric fields;
 - if the particle is destroyed by the interaction, or it reaches the end of the apparatus, or its energy is below a (tracking) threshold, then the simulation of this particle is over; else continue with another step.
- Output new particles created (indirect)
 - local energy deposits throughout the detector (direct)

17

Digitization



- project simulated track length in silicon onto read-out surface
- Lorentz angle drift correction
- scattering \rightarrow charge smearing

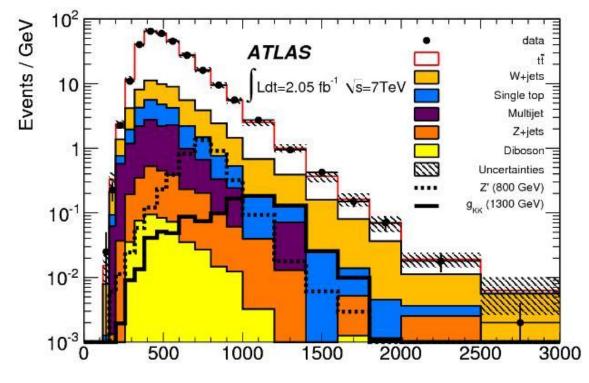
Before we are ready to dun the same reconstruction algorithms as on data, the GEANT output needs to be *digitized* That is, converting the simulated hits in detectors into signals in read-out electronics Also trigger simulation can be done at this level

Time consumption dominated by inner detector (most channels)

Putting it all together

MC is not the truth! – tests/validation necessary

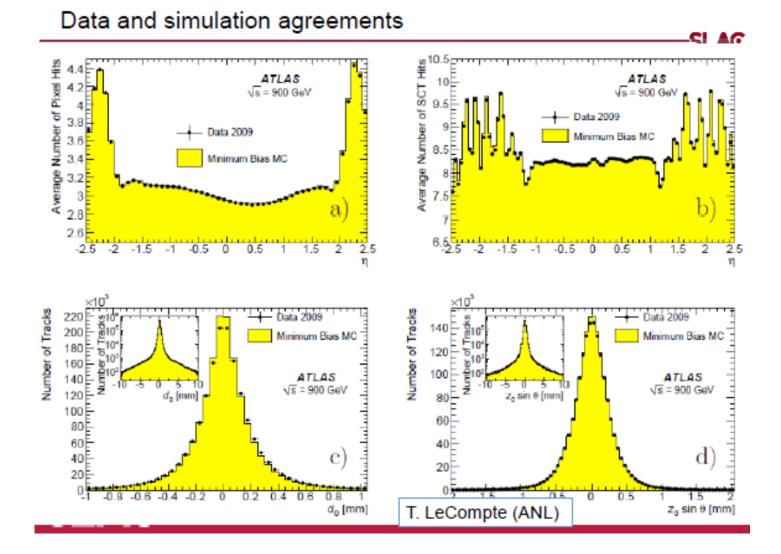
Some features are time-dependent ie amount of pile-up, technical problems with the detector, center of mass energy etc





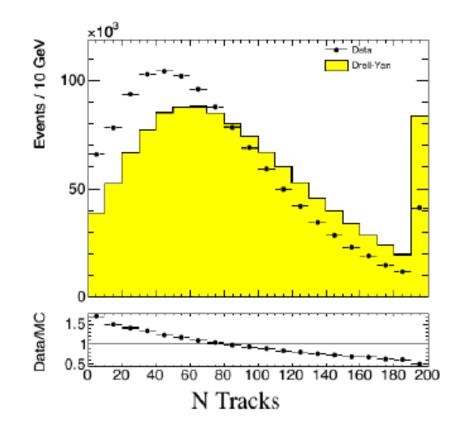
Need to update (and test!) the simulation regularly

Minimum bias events



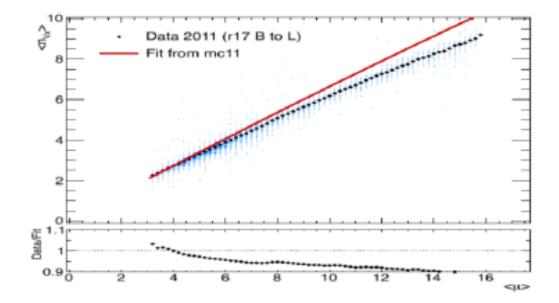
It doesn't always work

Number of tracks in ATLAS events



Re-weighting effect of pile-up

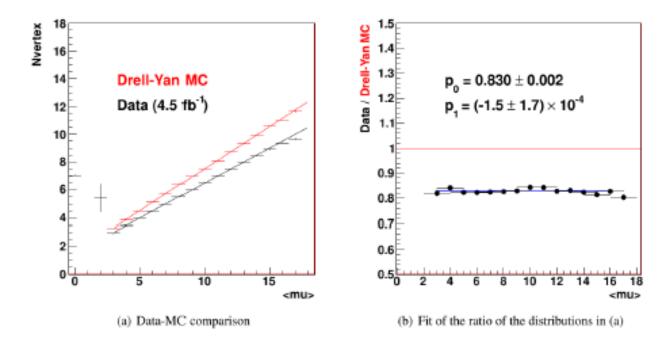
N vertices Vs average N interactions per bunch crossing



- Classic ATLAS example of MC not describing data accurately
- This shows that the MC gets the number of vertices wrong
 - Problem simulating proton bunches with 10¹¹ protons
 - Understandably a very difficult task!
- Unfortunately this has big effects for many distributions

Re-weighting the MC

Need to determine re-weighting factors



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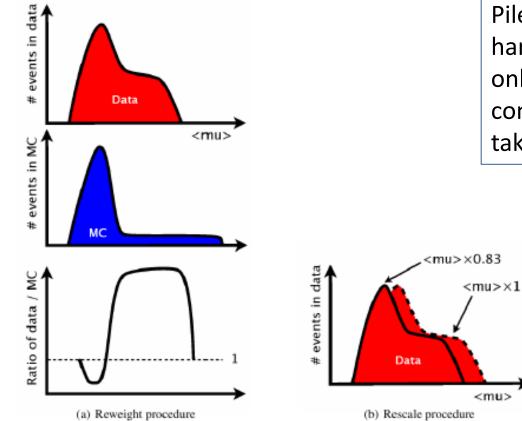
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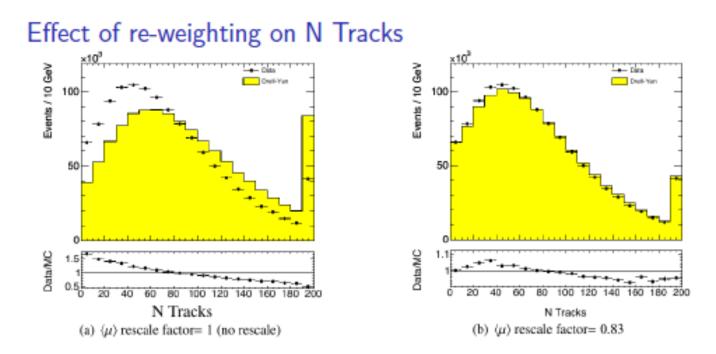
- Divide Data by MC to determine correction
- In this case, fit the ratio and determine a weight
- Use this weight for each MC event
 - histogram → Fill(x, weight);

Re-weighting the MC

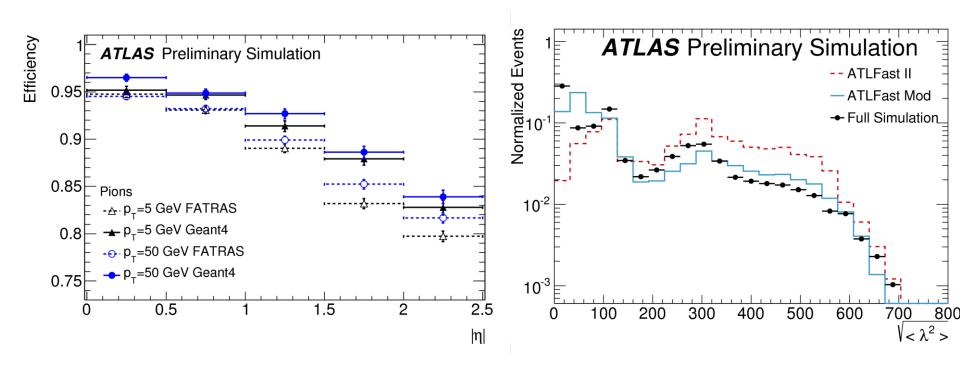
Cartoon illustrating re-weighting procedure



Pile-up for instance , is hard to get right, we only know the exact conditions *after* datataking is over After reweighting the agreement is much better Main problem is understanding the number of vertices



Fast vs full simulation



Although less meticulous, the fast simulation can be easily tuned to GEANT – or to data!

Summary

- Most processes are impractical or impossible to calculate analytically
 - Therefore we use simulation to prepare for analysis
- Two steps: event generation (the physics process) and detector simulation (interaction with materials + electronics)
 - Several choices when it comes to event generators. Each have the pros and cons
 - Detector simulation = GEANT4 + digitization code
 - PYTHIA is a Lund product. You can try it yourself at: http://home.thep.lu.se/~torbjorn/Pythia.html
- It works! Many good comparisons between data and MC gives us confidence that we should notice the first non-SM physics!