

# FYST17 Lecture 7

## MC and Simulation

Thanks to M. Asai, T. Sjöstrand, J.  
Morris

# Today's topics

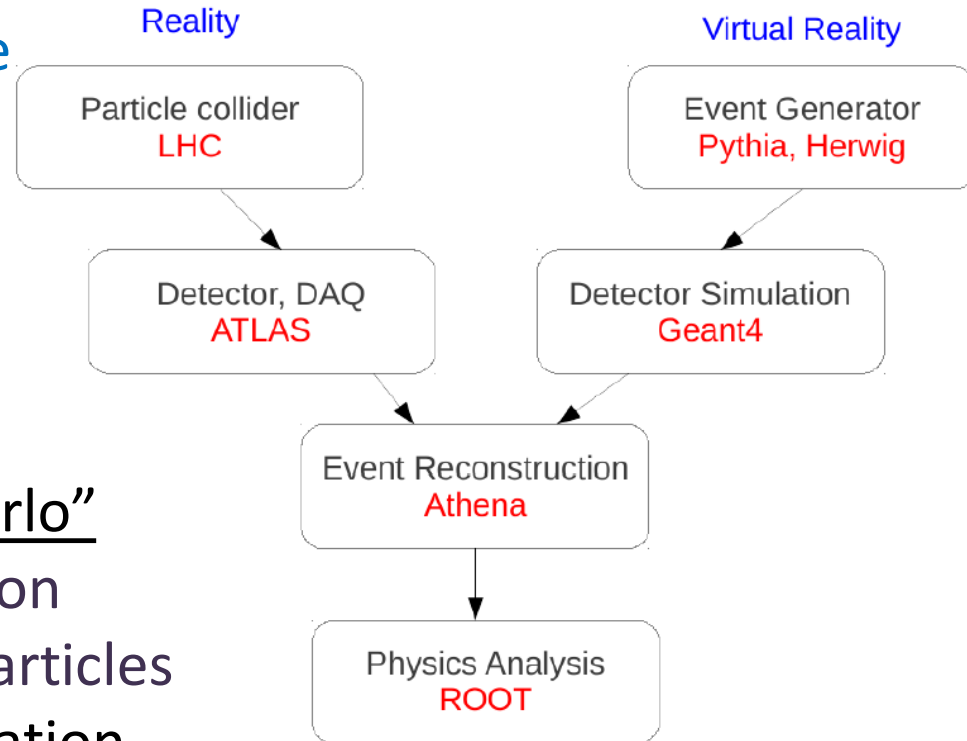
- Simulation, Monte Carlo (MC) and why we use it
- MC generators
  - Examples
  - Different specialities
- Detector simulation
  - GEANT
- Performance, some examples

# Why simulation?

We want to be able to compare data to expectations  
"Virtual experiment"

"Simulation" typically consists of two steps:

- Event generation "Monte Carlo"
  - Calculations, hadronization
  - 4-vectors of final state particles
- Detector simulation + digitization
  - The particles' paths through the detector material
  - Detector and electronic response



# Why simulation?

## Why use generators?

- Allows studies of complex multi-particle physics
- Allows studies of theoretical models
  - $\Rightarrow$  What does a SUSY signal look like?

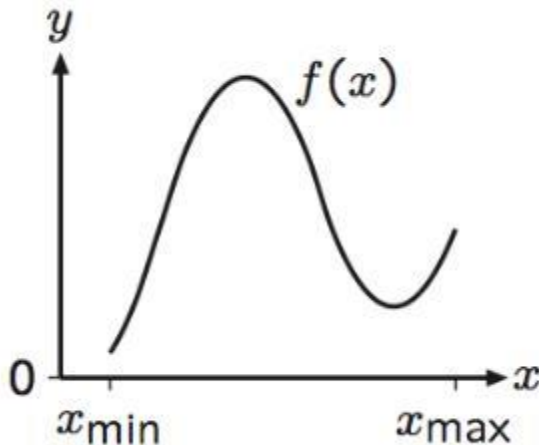
## Can be used to

- Predict cross sections and topologies of various processes
  - $\Rightarrow$  Feasibility study - Can we find the theoretical particle X?
- Simulate background processes to the signal of interest
  - $\Rightarrow$  Can devise analysis strategies
- Study detector response
  - $\Rightarrow$  Optimise trigger & detector selection cuts
- Study detector imperfections
  - $\Rightarrow$  Can evaluate acceptance corrections
- Remove the effect of the apparatus from the measurement
  - $\Rightarrow$  *Unfold* the data. Correcting the data for detector effects

Impossible to do analytically!

# The Monte Carlo method

“Monte Carlo” refers to any numerical method that uses random numbers in order to simulate probabilistic processes



Select  $x$  at random\* according to  $f(x)$

$$\text{Integral } I = \int_{x_1}^{x_2} f(x) dx = (x_2 - x_1) \langle f(x) \rangle$$

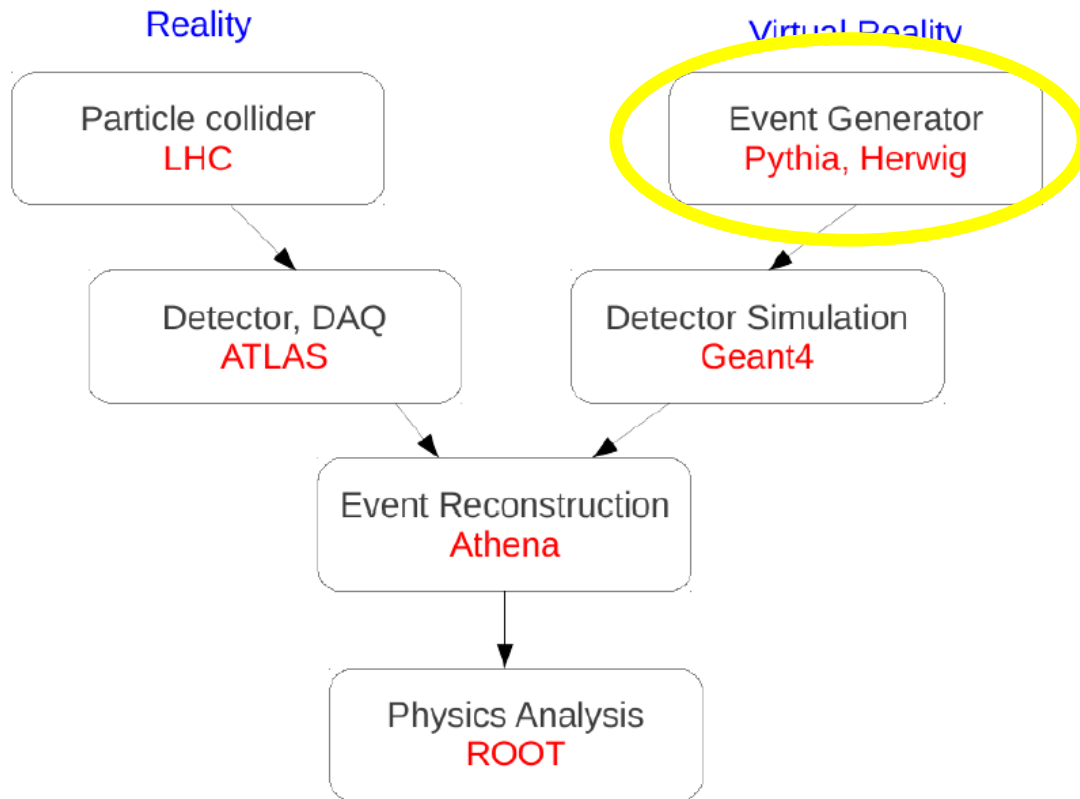
Draw  $N$  values from a uniform distribution:

$$I \approx I_N \equiv (x_2 - x_1) \frac{1}{N} \sum_{i=1}^N f(x_i)$$

Cross section randomly sampled over phase space. Method

governed by the Central Limit Theorem: errors  $\propto \frac{1}{\sqrt{N}}$

\*In particle physics applications: Random numbers represent QM choices



# Event generators

	General-Purpose	Specialized
Hard Processes	<b>HERWIG</b>  <b>PYTHIA</b>  <b>SHERPA</b>  .....	MadGraph, AlpGen, ...
Resonance Decays		HDECAY, ...
Parton Showers		Ariadne/LDC, VINCIA, ...
Underlying Event		PHOJET/DPMJET
Hadronization		none (?)
Ordinary Decays		TAUOLA, EvtGen

Specialized often best at given task, but need General-Purpose core

# Event generators

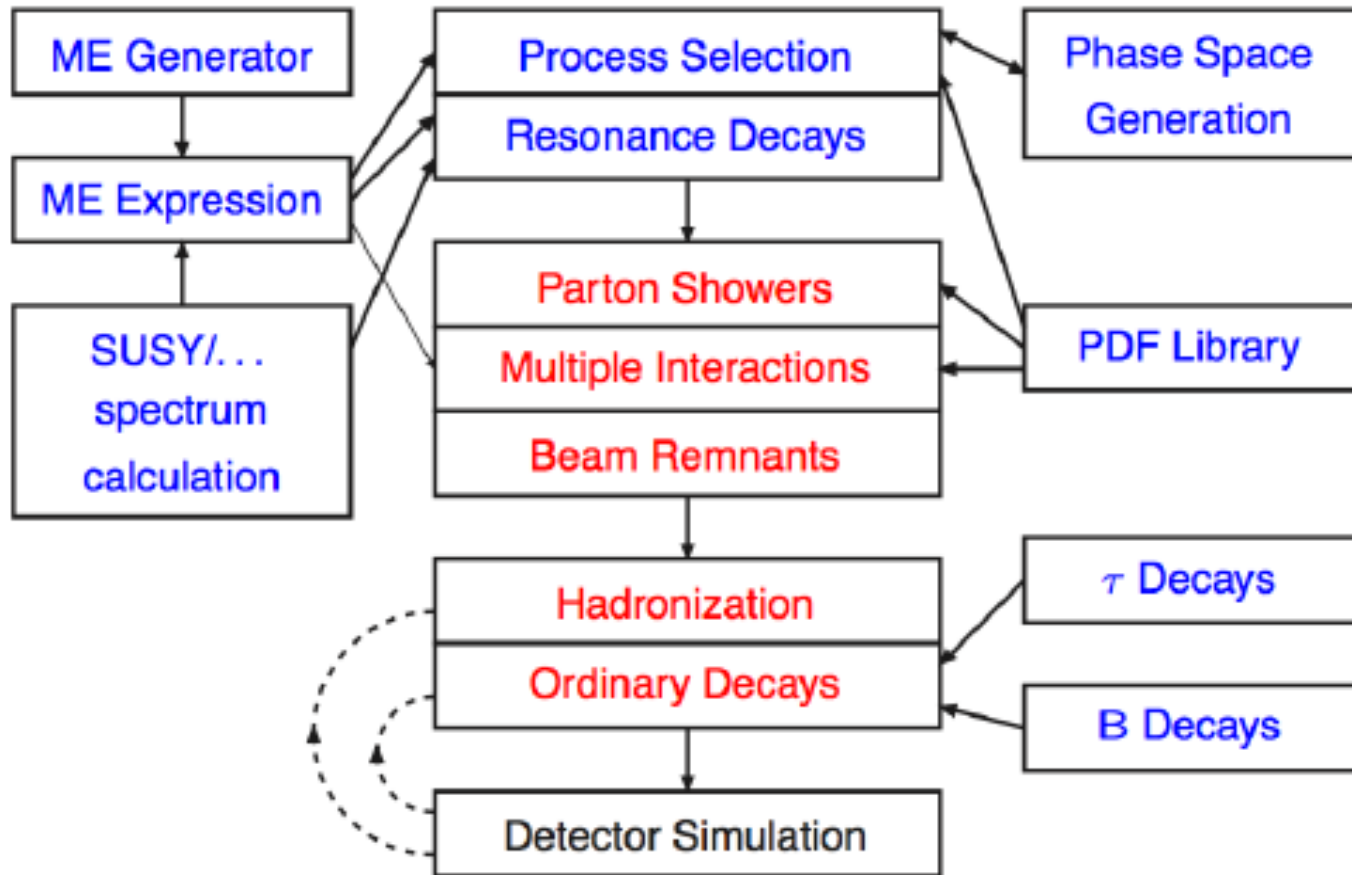
From Lund U  
phenomenology  
group!

	General-Purpose	Specialized
Hard Processes		MadGraph, AlpGen, ...
Resonance Decays	HERWIG	HDECAY, ...
Parton Showers	<b>PYTHIA</b>	Ariadne/LDC, VINCIA, ...
Underlying Event	SHERPA	PHOJET/DPMJET
Hadronization	.....	none (?)
Ordinary Decays		TAUOLA, EvtGen

Specialized often best at given task, but need General-Purpose core



# What they do

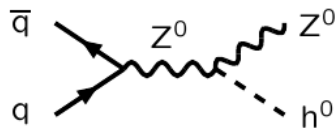


Several standardized interfaces!

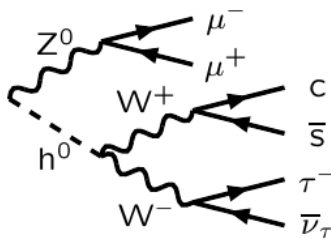
# Monte Carlo generation

## Matrix elements (ME):

- 1) Hard subprocess:  
 $|\mathcal{M}|^2$ , Breit-Wigners,  
 parton densities.

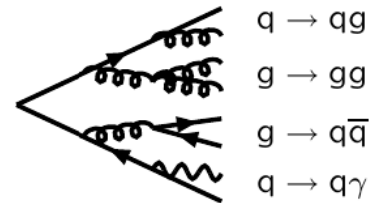


- 2) Resonance decays:  
 includes correlations.

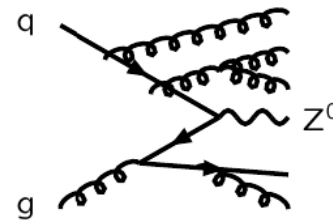


## Parton Showers (PS):

- 3) Final-state parton showers.

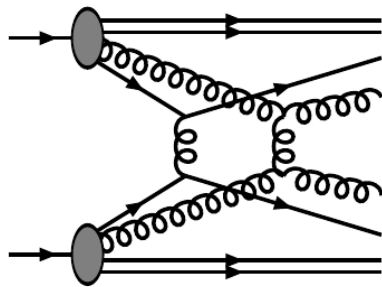


- 4) Initial-state parton showers.

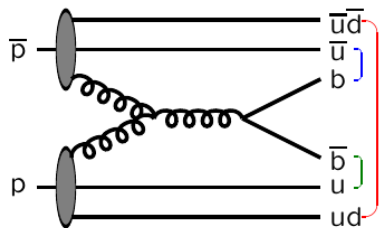


# Monte Carlo generation

5) Multiple parton-parton interactions.

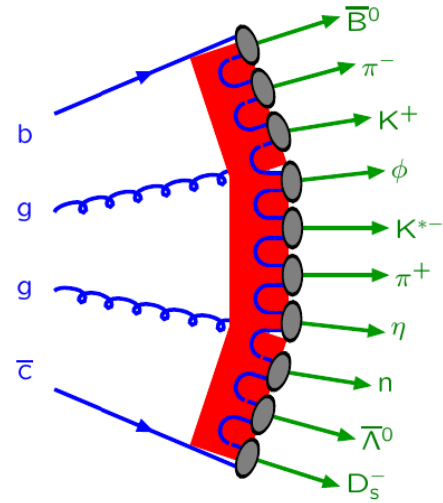


6) Beam remnants, with colour connections.

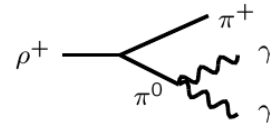


5) + 6) = Underlying Event

7) Hadronization



8) Ordinary decays:  
hadronic,  $\tau$ , charm, ...



# Slides from Torbjörn Sjöstrand

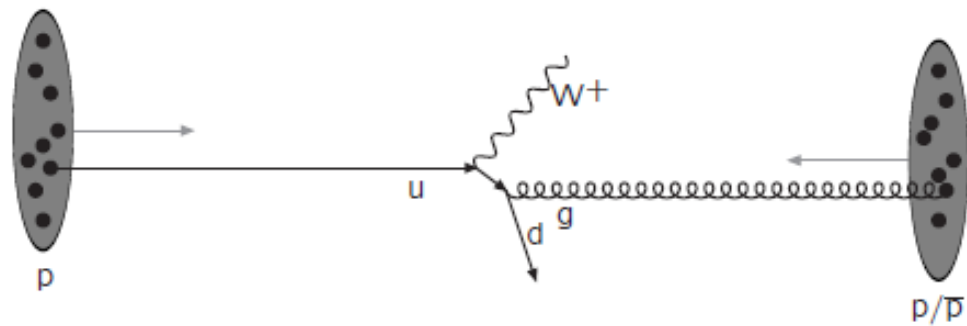
## The Structure of an Event – 1

Warning: schematic only, everything simplified, nothing to scale, ...



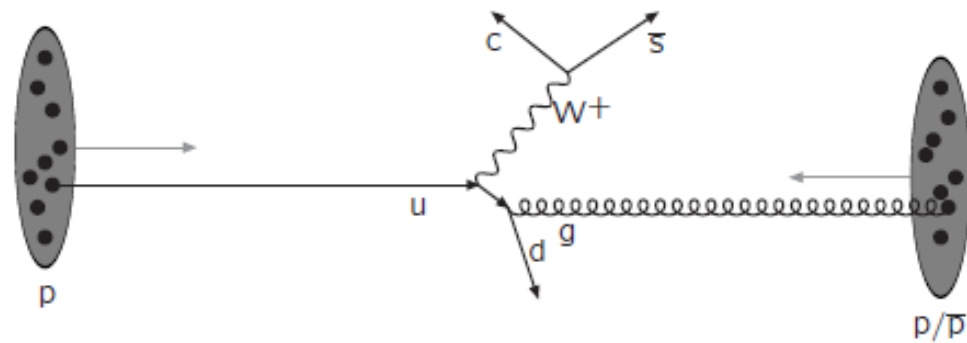
Incoming beams: parton densities

## The Structure of an Event – 2



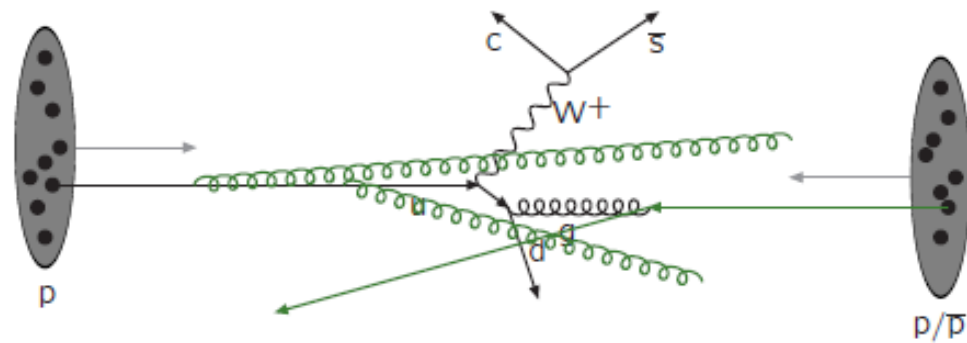
Hard subprocess: described by matrix elements

## The Structure of an Event – 3



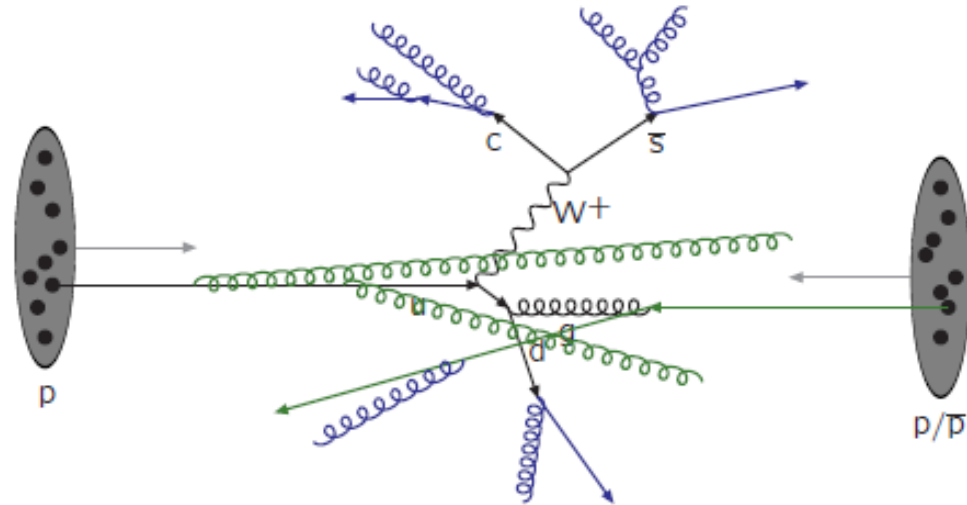
Resonance decays: correlated with hard subprocess

## The Structure of an Event – 4



Initial-state radiation: spacelike parton showers

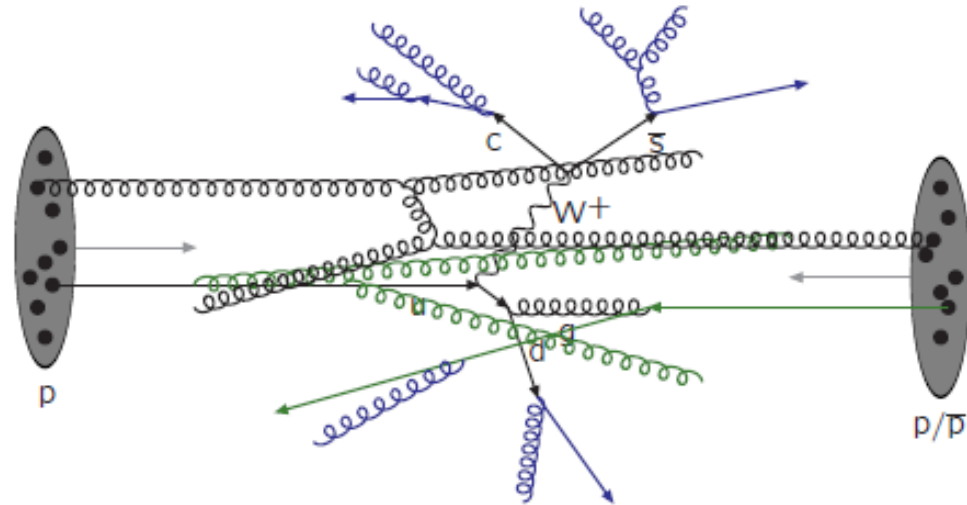
## The Structure of an Event – 5



Final-state radiation: timelike parton showers

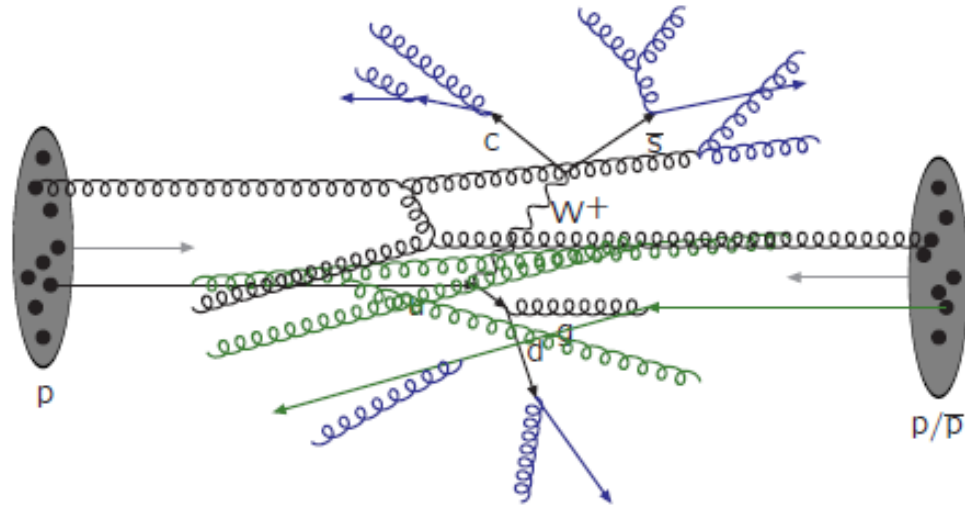


## The Structure of an Event – 6



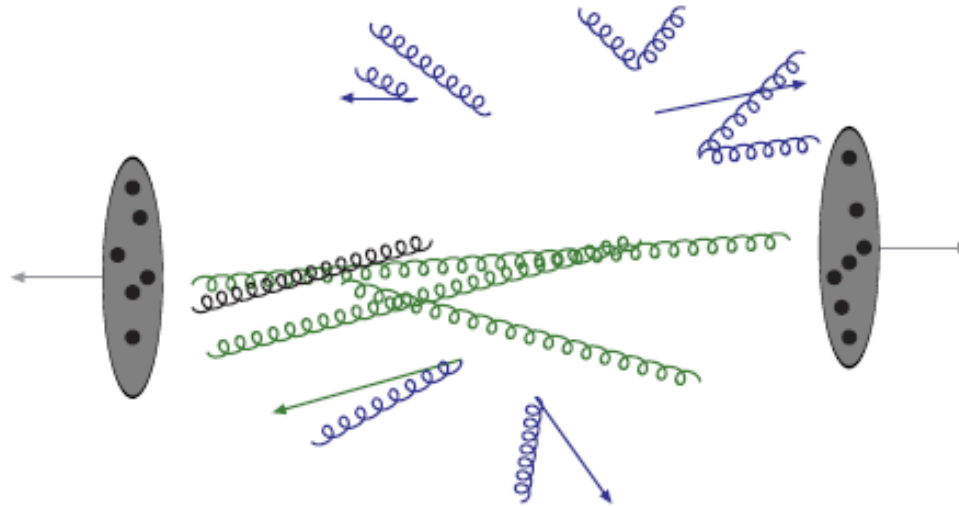
Multiple parton-parton interactions ...

## The Structure of an Event – 7



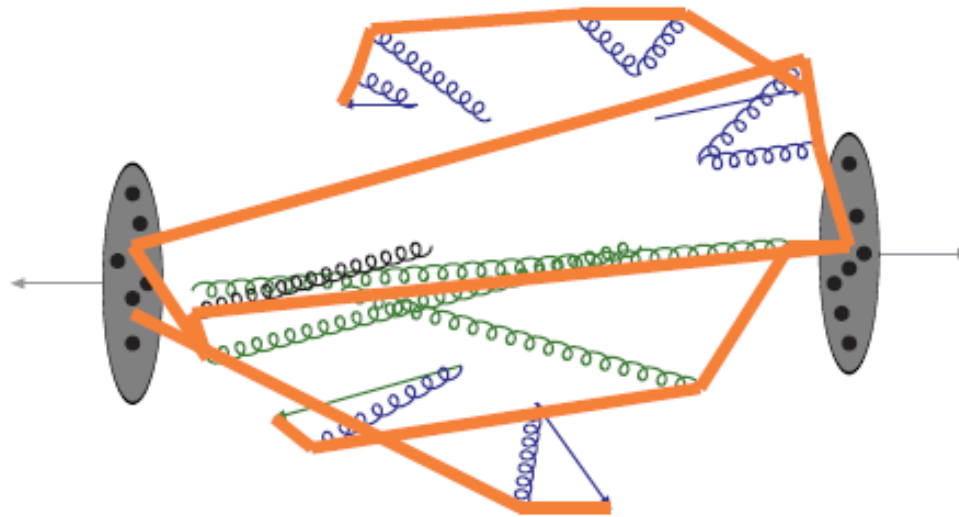
... with its **initial-** and **final-**state radiation

## The Structure of an Event – 8



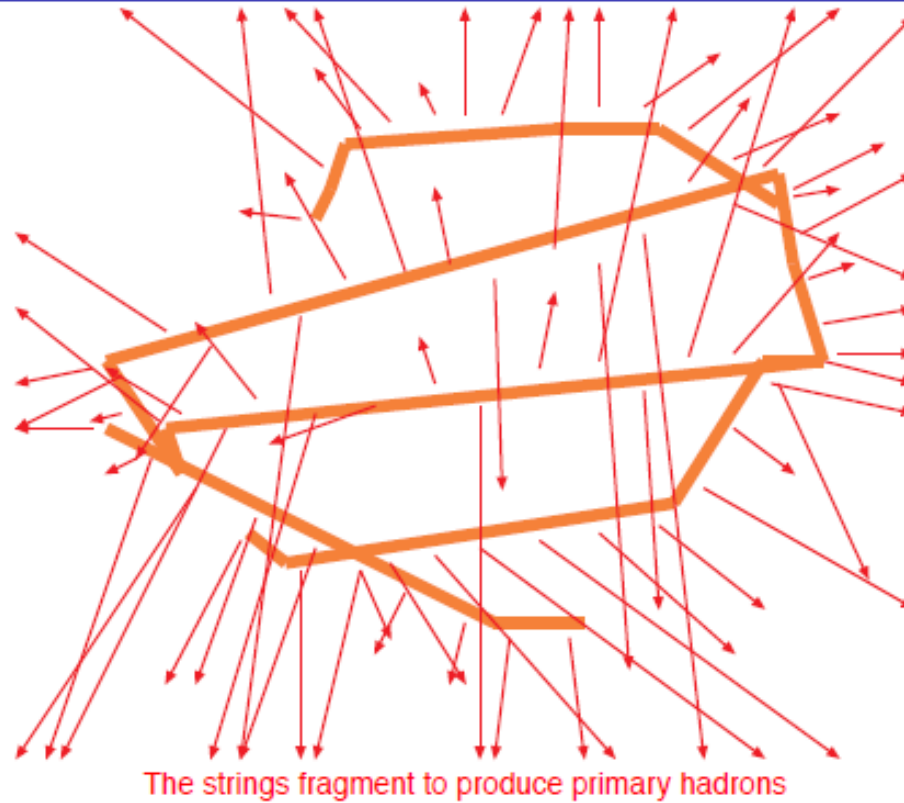
Beam remnants and other outgoing partons

## The Structure of an Event – 9

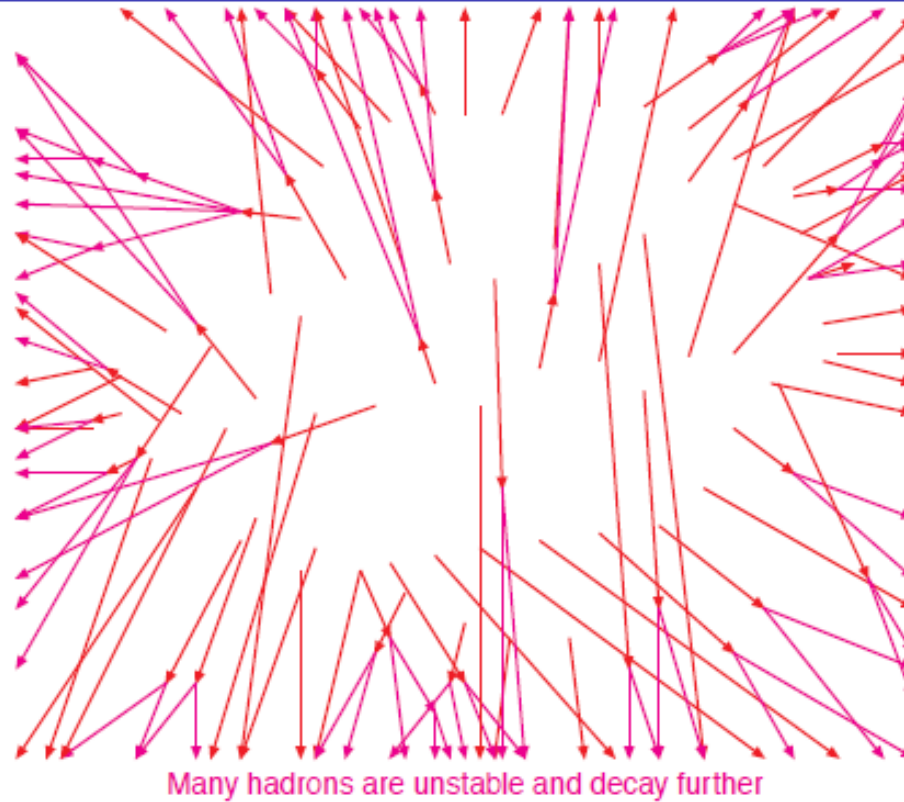


Everything is connected by colour confinement strings  
Recall! Not to scale: strings are of hadronic widths

## The Structure of an Event – 10



## The Structure of an Event – 11



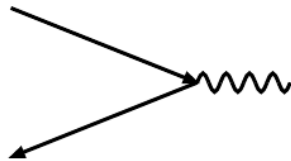
# Matrix Element calculation

Normally done to LO or NLO

I. Lowest order,

$\mathcal{O}(\alpha_{em})$ :

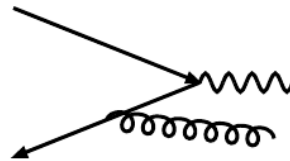
$q\bar{q} \rightarrow Z^0$



II. First-order real,

$\mathcal{O}(\alpha_{em}\alpha_s)$ :

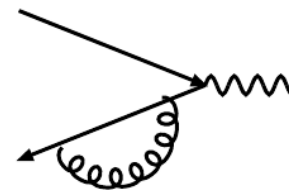
$q\bar{q} \rightarrow Z^0 g$  etc.



III. First-order virtual,

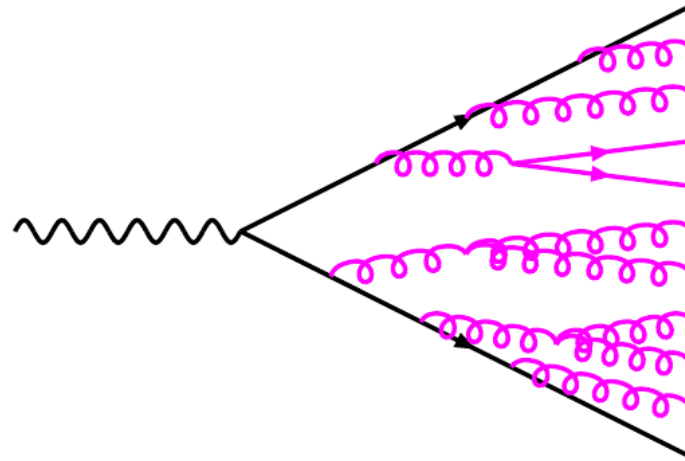
$\mathcal{O}(\alpha_{em}\alpha_s)$ :

$q\bar{q} \rightarrow Z^0$  with loops



- Higher order corrections are important:
  - Normalisation and shape of kinematic distributions
  - Multiplicity of objects like jets
- Higher order corrections are hard to calculate and CPU intensive
- Several programs that will do the calculation
  - Different calculation techniques
  - Different assumptions
  - Different results
  - $\Rightarrow$  Theoretical modelling uncertainty

# Parton showering



- Need to go from  $2 \rightarrow 2$  scattering to 100's of particles
  - A particle can decay into more particles
  - A particle can emit another particle
  - All controlled by random numbers
- Parton shower evolution is a probabilistic process
  - Occurs with unit total probability



# Parton Showering

## 2 Common approaches to parton showering

- Need to avoid divergences and infinities in calculations
  - See your QCD course for why these occur
  - Solution requires the final state partons to be ordered
- There are 2 common approaches to do this
- PYTHIA :  $Q^2 = m^2$ 
  - The parton with the highest  $p_T$  is calculated first
- HERWIG :  $Q^2 \approx E^2 (1 - \cos(\theta))$ 
  - The parton with the largest angle is calculated first

## This represents a theoretical modelling uncertainty

- Both provide a good description of data but which is correct?
  - Neither is correct, but nature is unknown, we only have models
- All physics measurements need to take this into account
  - Expect to see a parton shower systematic for every result
  - Use both methods for calculation of physics result
  - Difference between results is a theoretical modelling systematic

# Hadronization

## Going from partons to hadrons

- Partons are not observed directly in nature, only hadrons
- Hadronisation occurs at low energy scales
  - Perturbation theory is not valid
  - Cannot calculate this process from first principals
- Require models to simulate what happens
- 2 common approaches are used
  - PYTHIA : Lund string model
  - HERWIG : Cluster model

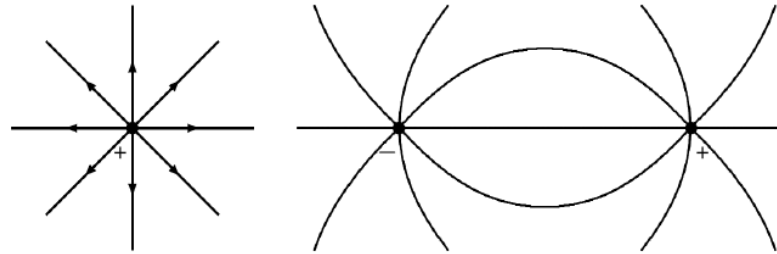
## This is another theoretical modelling uncertainty

- Similar type of uncertainty as for parton showering
  - We don't know exactly how nature works
  - We have 2 reasonable models
  - Calculate physics result using each method
  - Difference is a theoretical modelling systematic

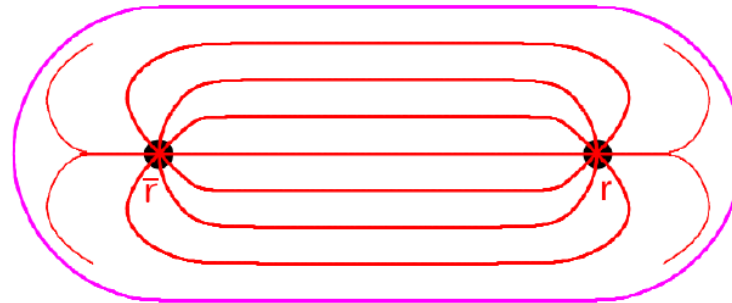
# Hadronization

## The Lund String model:

- In QED field lines go all the way to infinity
- Photons do not interact with each other



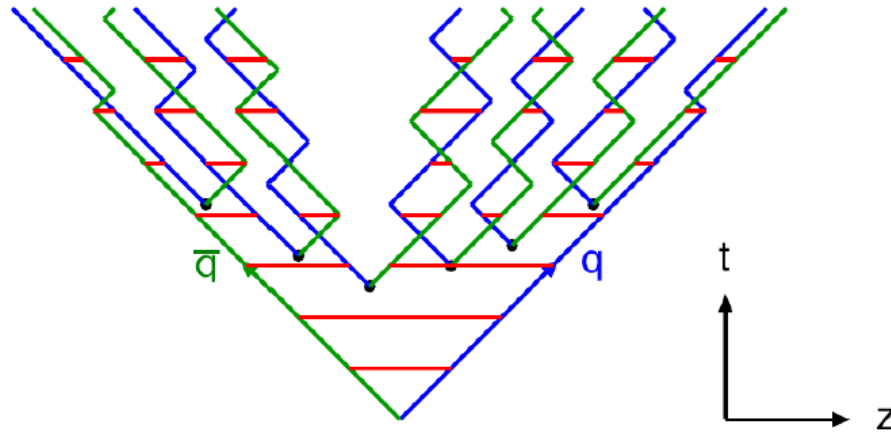
- In QCD, for large charge separation, field lines seem to be compressed into tube-like regions  $\Rightarrow$  string(s)
- Self-interaction among soft gluons in the vacuum



# Hadronization

The Lund String model:

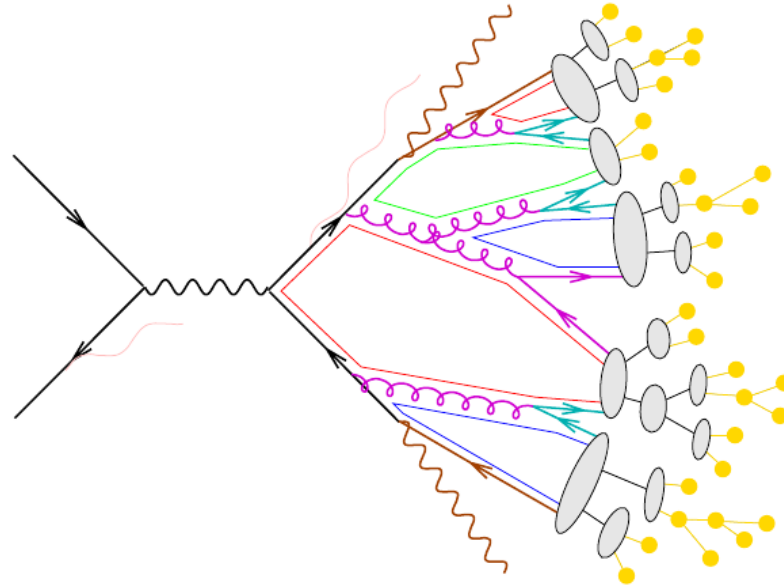
- The strings connecting the 2 partons breaks as they move apart
- Fragmentation starts in the middle and spreads out



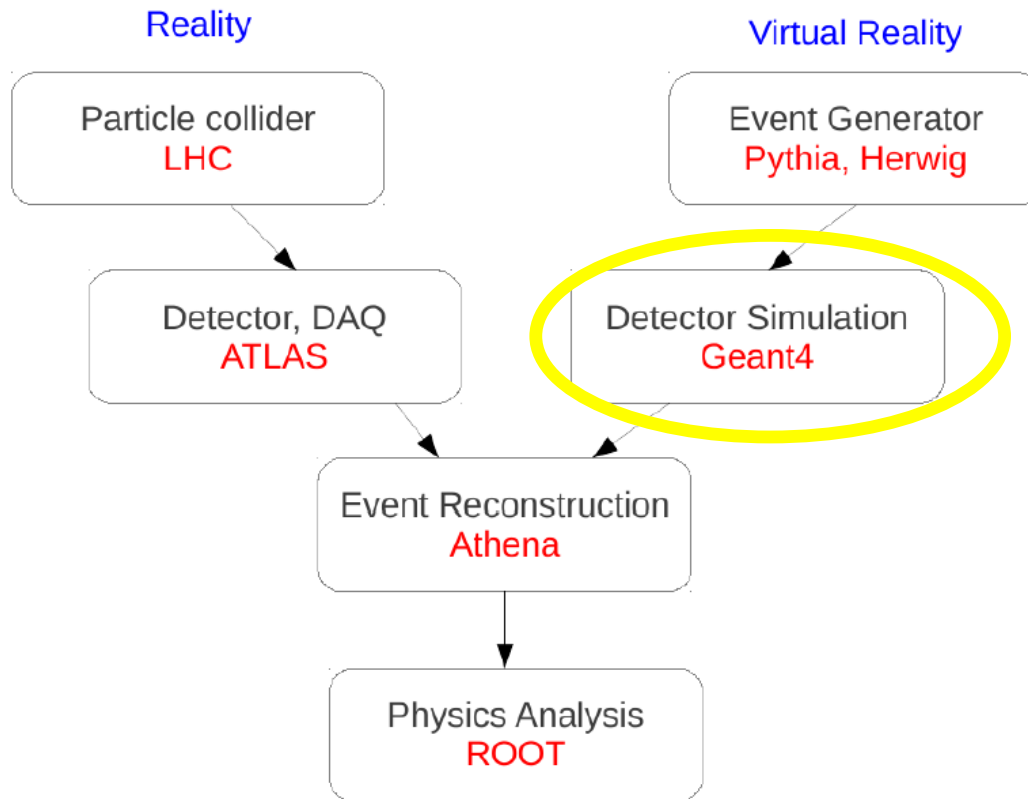
- The breakup vertices become causally disconnected
- This is governed by many internal parameters
- Implemented by the PYTHIA MC program

# Hadronization

The Cluster model:



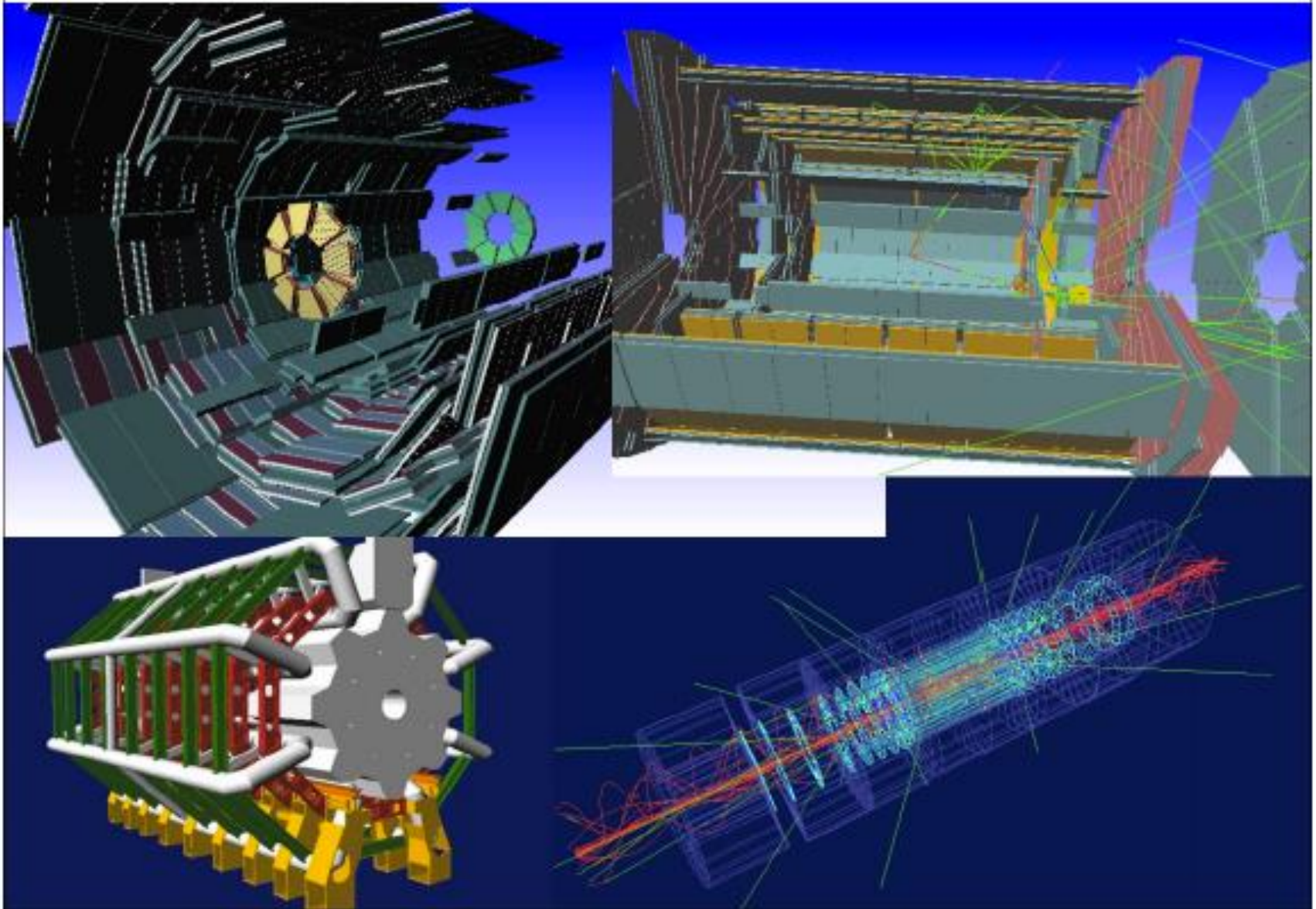
- Pre-confinement colour flow is local
- Forced  $g \rightarrow q\bar{q}$  branchings
- Colour singlet clusters are formed
- Clusters decay isotropically to hadrons
- Relatively few internal parameters
- Implemented by the HERWIG MC program



# Detector simulation

- Next step is simulating the particles paths through the detector:
  - Tracking chambers, calorimeters, muon system
  - but also cables, cooling pipes etc
  - and also faulty detector modules/electronics!
- Takes time: need to simulation all interactions, ionization, energy deposits, secondary interactions and decays, scattering ...
- Mostly used: **GEANT4** a C++ program. Takes as input 4-vectors from event generators and outputs "raw data"
- Takes up to 10 mins/event! Short-cut ***Fast simulation***: Smear the 4-vectors instead of calorimeter simulation

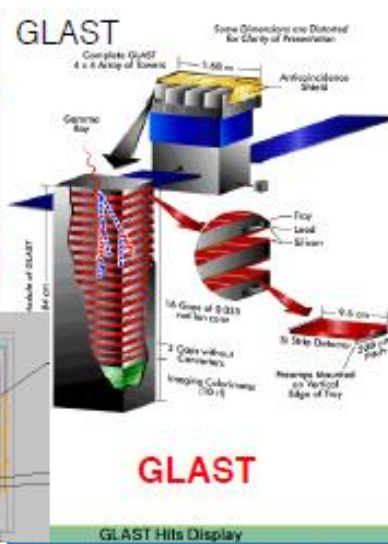
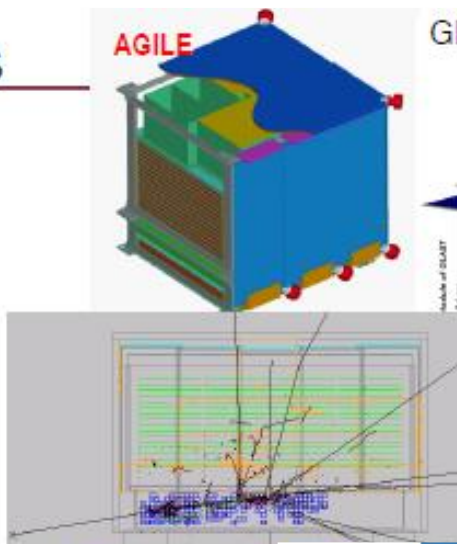
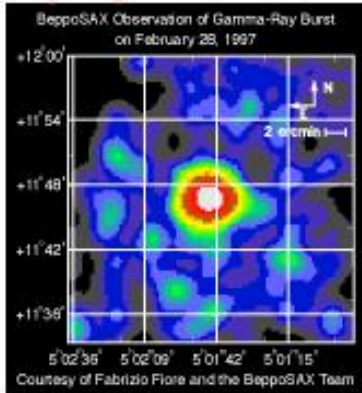
# Geant4 in High Energy Physics (ATLAS at LHC)



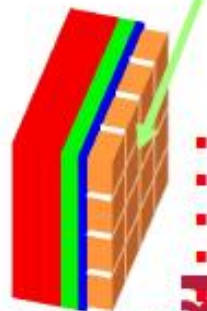


# $\gamma$ astrophysics

## $\gamma$ -ray bursts

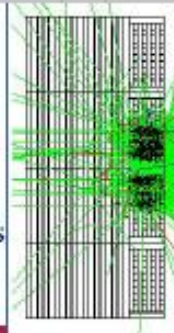


Not just used in high energy physics



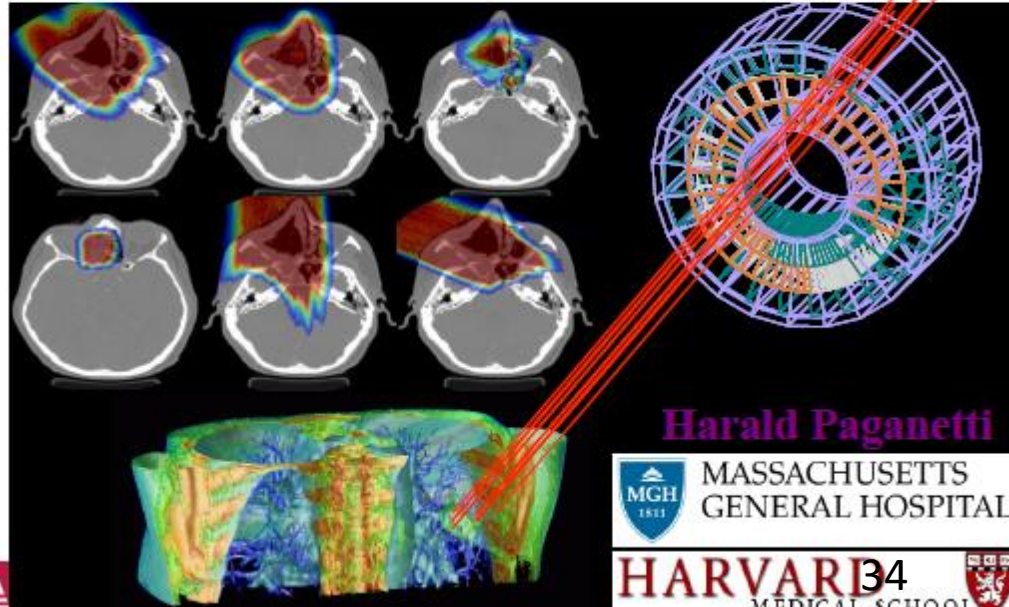
Typical telescope:  
Tracker  
Calorimeter  
Anticoincidence

- $\gamma$  conversion
- electron interactions
- multiple scattering
- $\delta$ -ray production
- charged particle tracking



Kernel I - M.

GEANT4 based proton dose calculation in a clinical environment: technical aspects, strategies and challenges



Harald Paganetti

MGH MASSACHUSETTS GENERAL HOSPITAL

HARVARD MEDICAL SCHOOL



## How does it Work ?

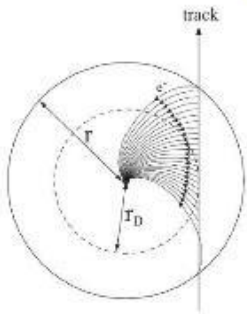
- Treat one particle at the time
- Treat a particle in **steps**



- For each step
  - the step length is determined by the cross sections of the physics processes and the geometrical boundaries; if new particles are created, add them to the list of particles to be transported;
  - local energy deposit; effect of magnetic and electric fields;
  - if the particle is destroyed by the interaction, or it reaches the end of the apparatus, or its energy is below a (tracking) threshold, then the simulation of this particle is over; else continue with another step.
- Output
  - new particles created (indirect)
  - **local energy deposits** throughout the detector (direct)

# Digitization

## TRT



- evaluate closest approach radius
- determine measurement uncertainty
- smear drift time

## Silicon

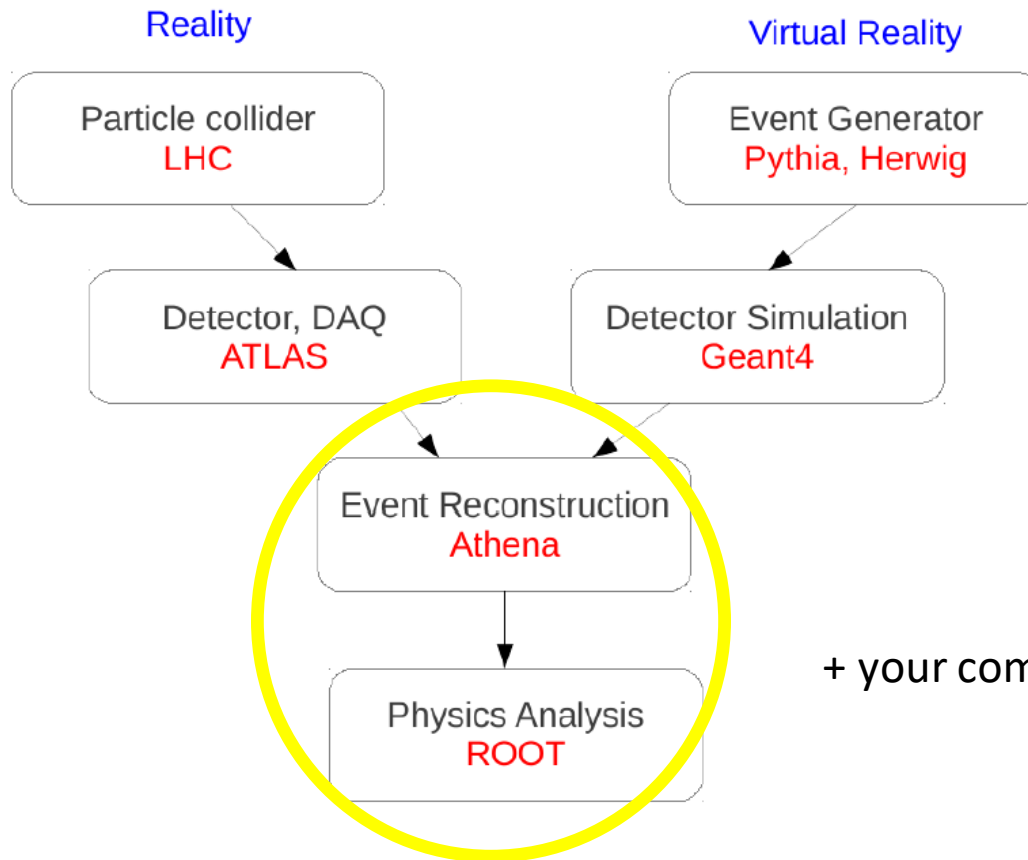
- estimate charge deposition per channel
- project simulated track length in silicon onto read-out surface
- Lorentz angle drift correction
- scattering → charge smearing

Before we are ready to run the same reconstruction algorithms as on data, the GEANT output needs to be ***digitized***

That is, converting the simulated hits in detectors into signals in read-out electronics

Also trigger simulation can be done at this level

Time consumption dominated by inner detector (most channels)

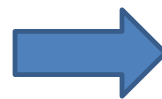
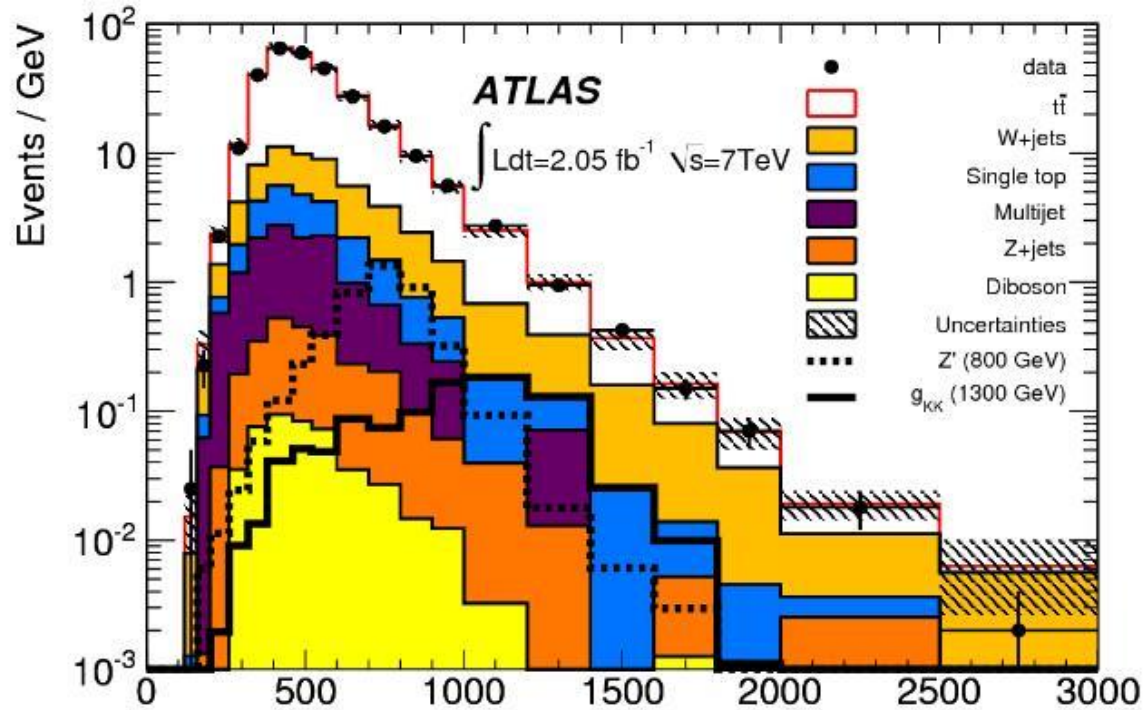


+ your computer exercise

# Putting it all together

MC is not the truth!  
– tests/validation  
necessary

Some features are  
time-dependent ie  
amount of pile-up,  
technical problems  
with the detector,  
center of mass  
energy etc

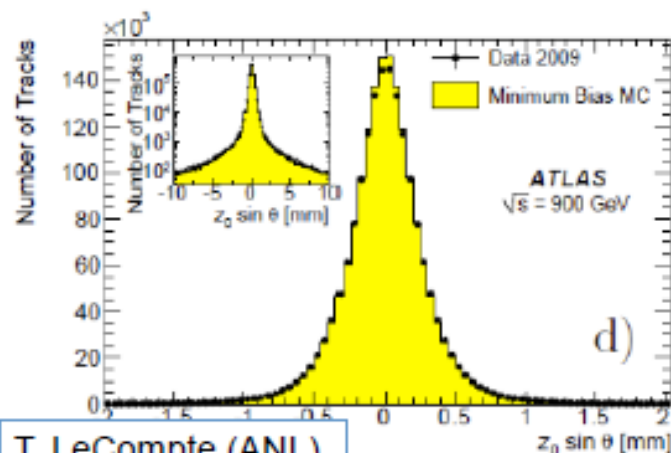
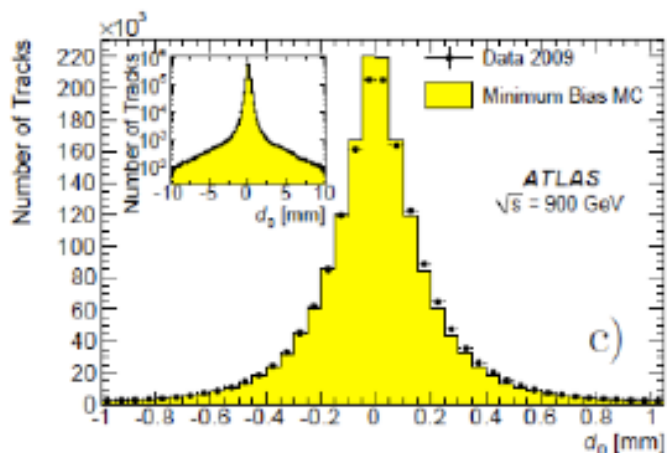
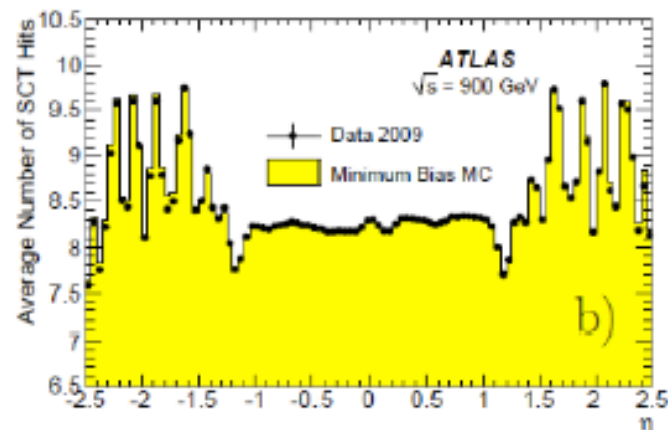
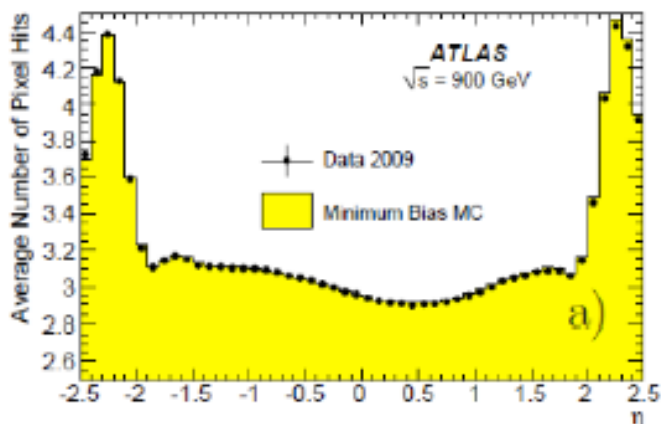


Need to update (and test!) the  
simulation regularly

# Minimum bias events

## Data and simulation agreements

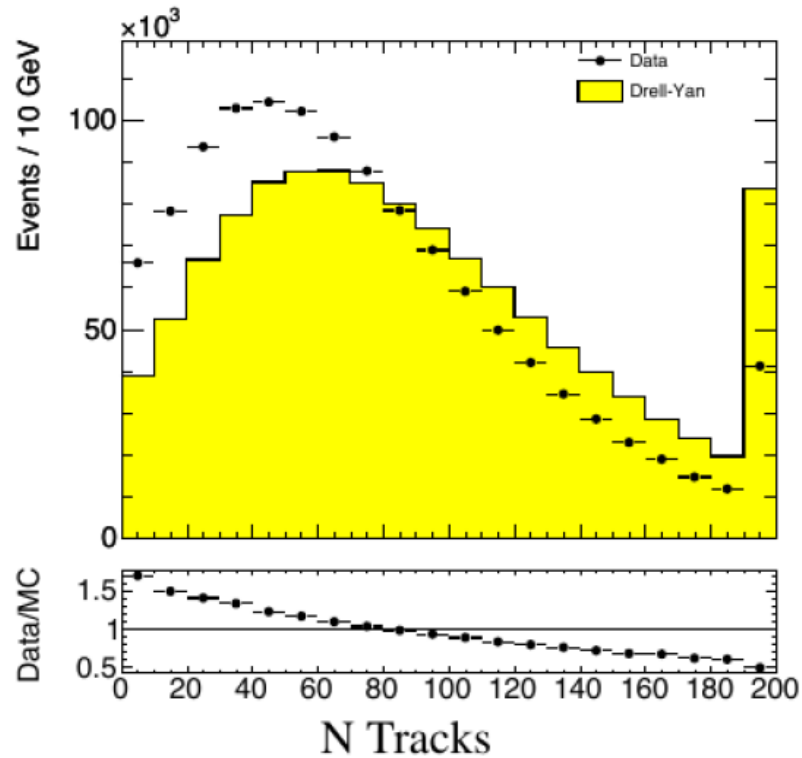
SI AG



T. LeCompte (ANL)

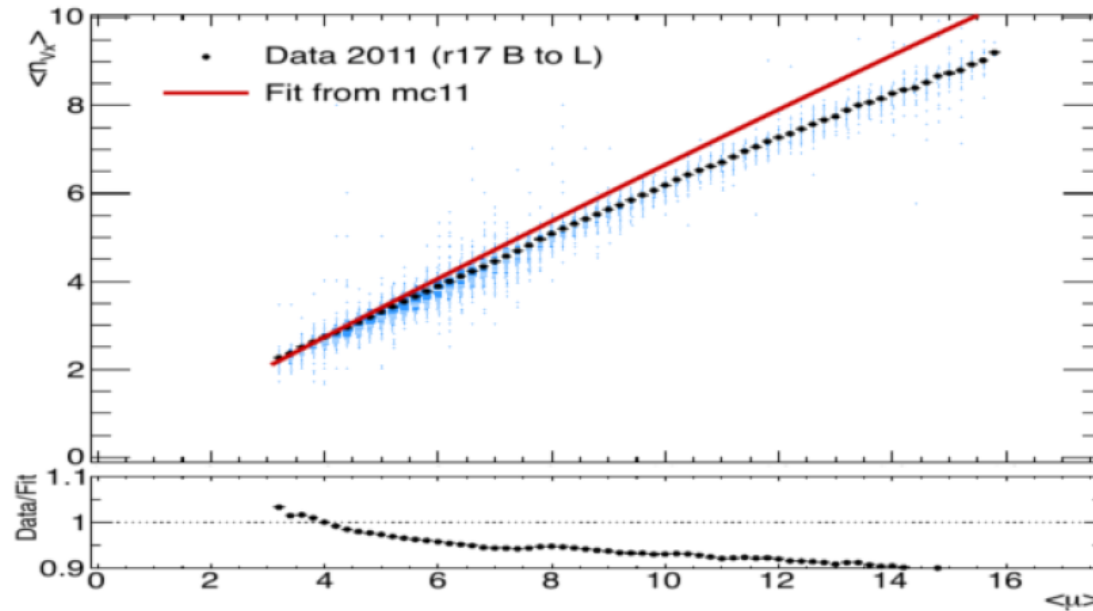
# It doesn't always work

## Number of tracks (ATLAS)



# Re-weighting effect of pile-up

$\langle N \rangle$  vertices Vs average  $\langle \mu \rangle$  interactions per bunch crossing

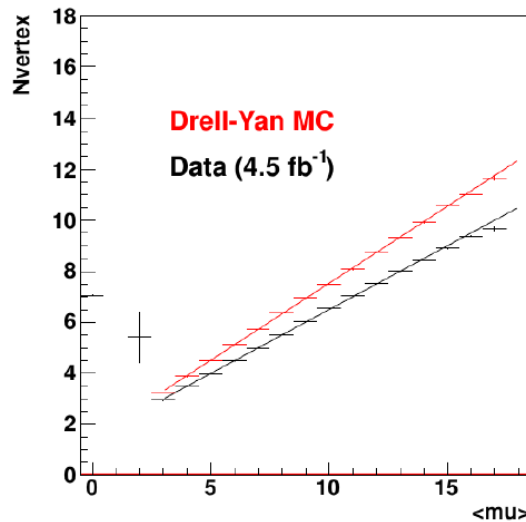


- Classic *ATLAS* example of MC not describing data accurately
- This shows that the MC gets the number of vertices wrong
  - Problem simulating proton bunches with  $10^{11}$  protons
  - Understandably a very difficult task!
- Unfortunately this has big effects for many distributions

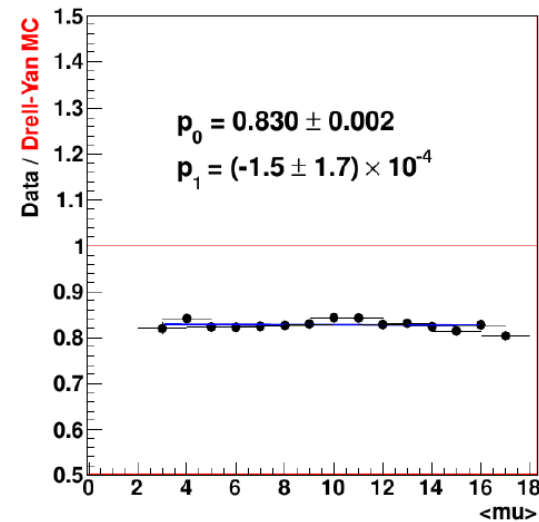


# Re-weighting the MC

Need to determine re-weighting factors



(a) Data-MC comparison

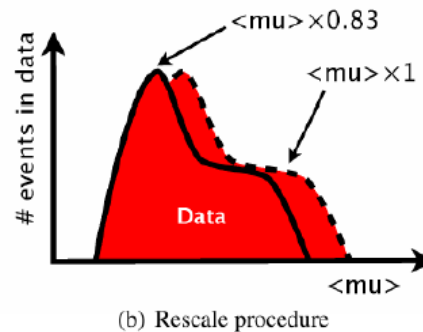
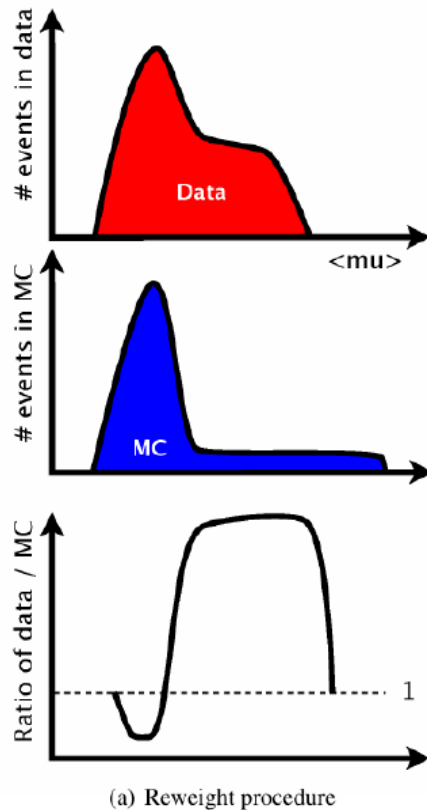


(b) Fit of the ratio of the distributions in (a)

- Divide Data by MC to determine correction
- In this case, fit the ratio and determine a weight
- Use this weight for each MC event
  - histogram  $\rightarrow$  Fill(x, weight);

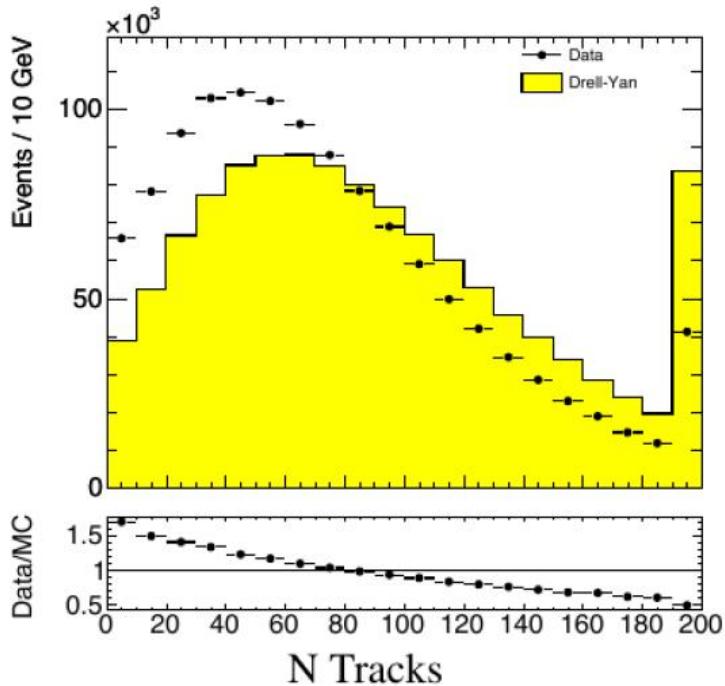
# Re-weighting the MC

## Illustration of re-weighting procedure

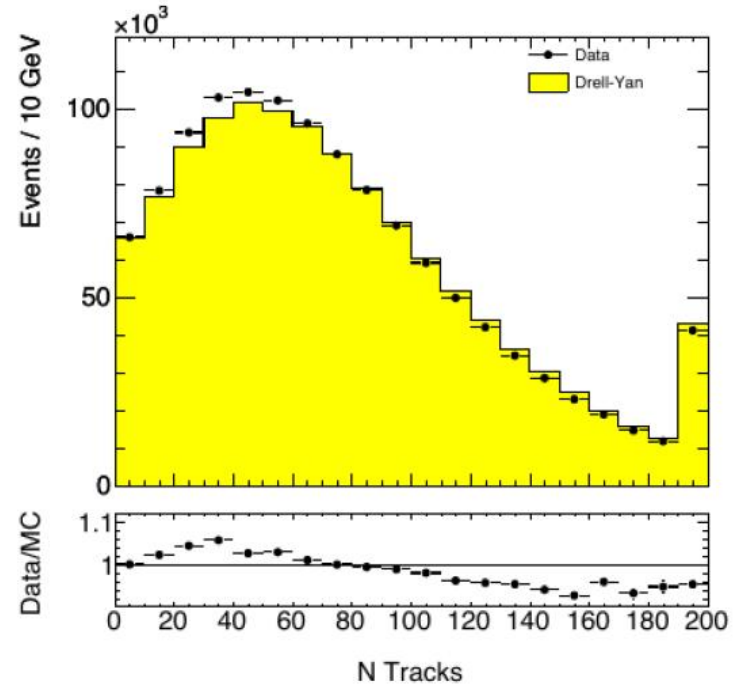


Pile-up for instance , is hard to get right, we only know the exact conditions *after* data-taking is over

After reweighting the agreement is much better  
Main problem is understanding the number of vertices

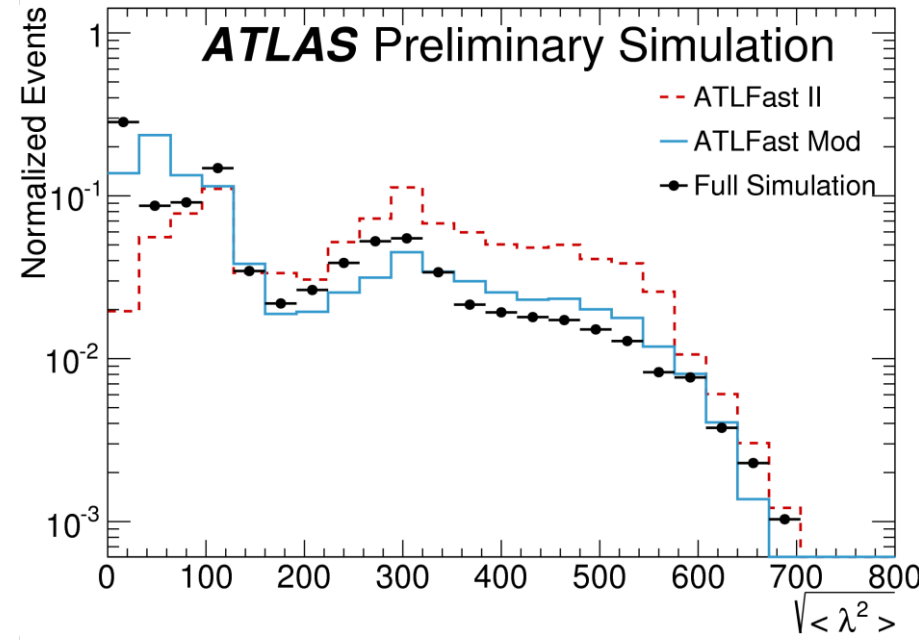
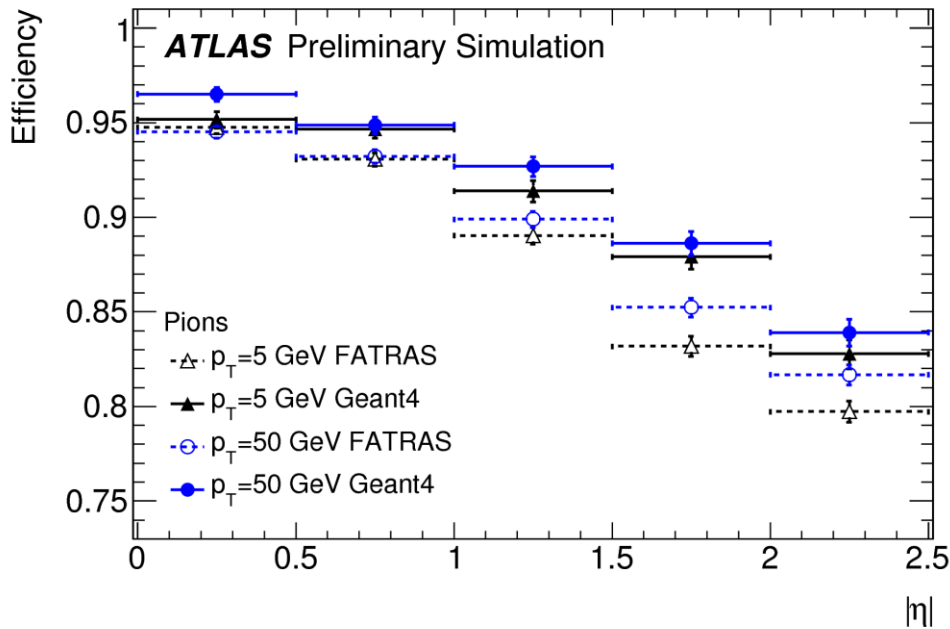


(a)  $\langle \mu \rangle$  rescale factor= 1 (no rescale)



(b)  $\langle \mu \rangle$  rescale factor= 0.83

# Fast vs full simulation



Although less meticulous, the fast simulation can be easily tuned to GEANT – or to data!

# Summary

- Most processes are impractical or impossible to calculate analytically
  - Therefore we use simulation to prepare for analysis
- Two steps: event generation (the physics process) and detector simulation (interaction with materials + electronics)
  - Several choices when it comes to event generators. Each have the pros and cons
  - Detector simulation = GEANT4 + digitization code
  - PYTHIA is a Lund product. You can try it yourself at:  
<http://home.thep.lu.se/~torbjorn/Pythia.html>
- It works! Many good comparisons between data and MC gives us confidence that we should notice the first non-SM physics<sub>46</sub>